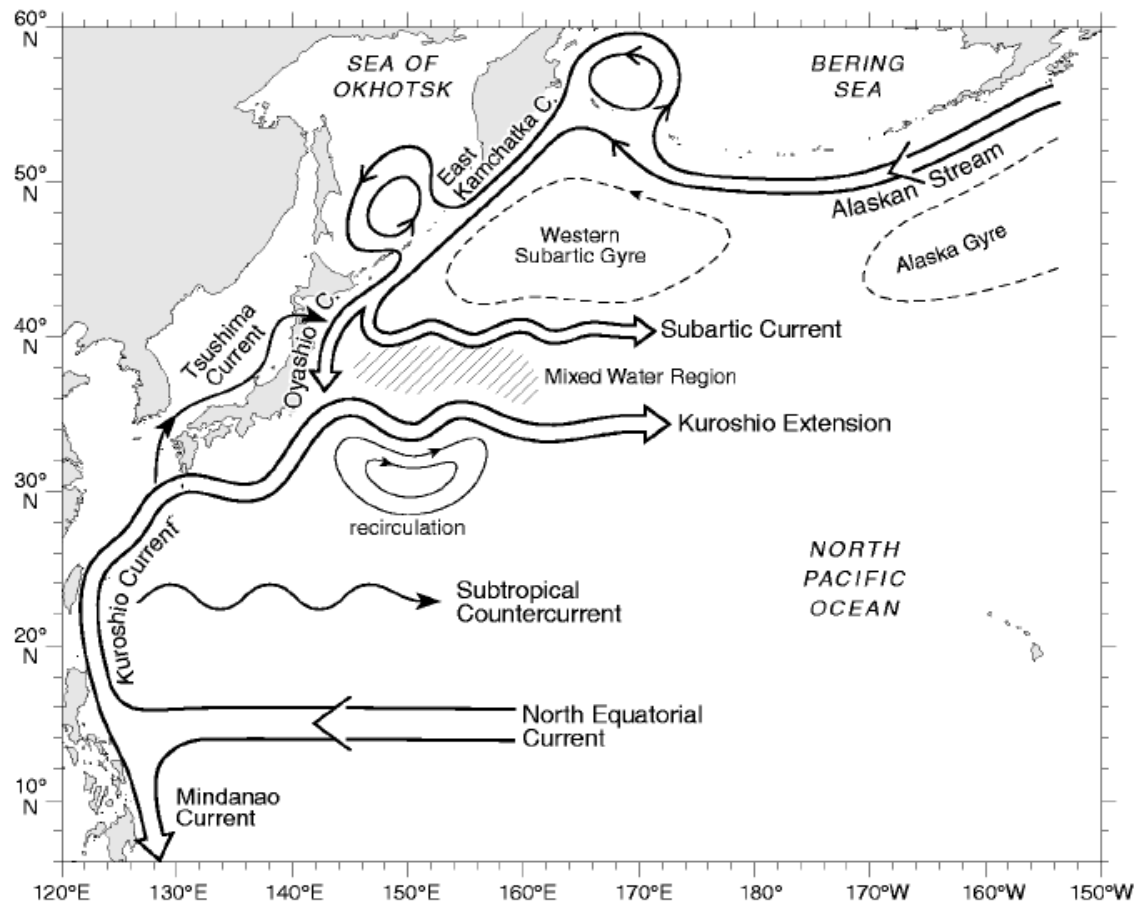
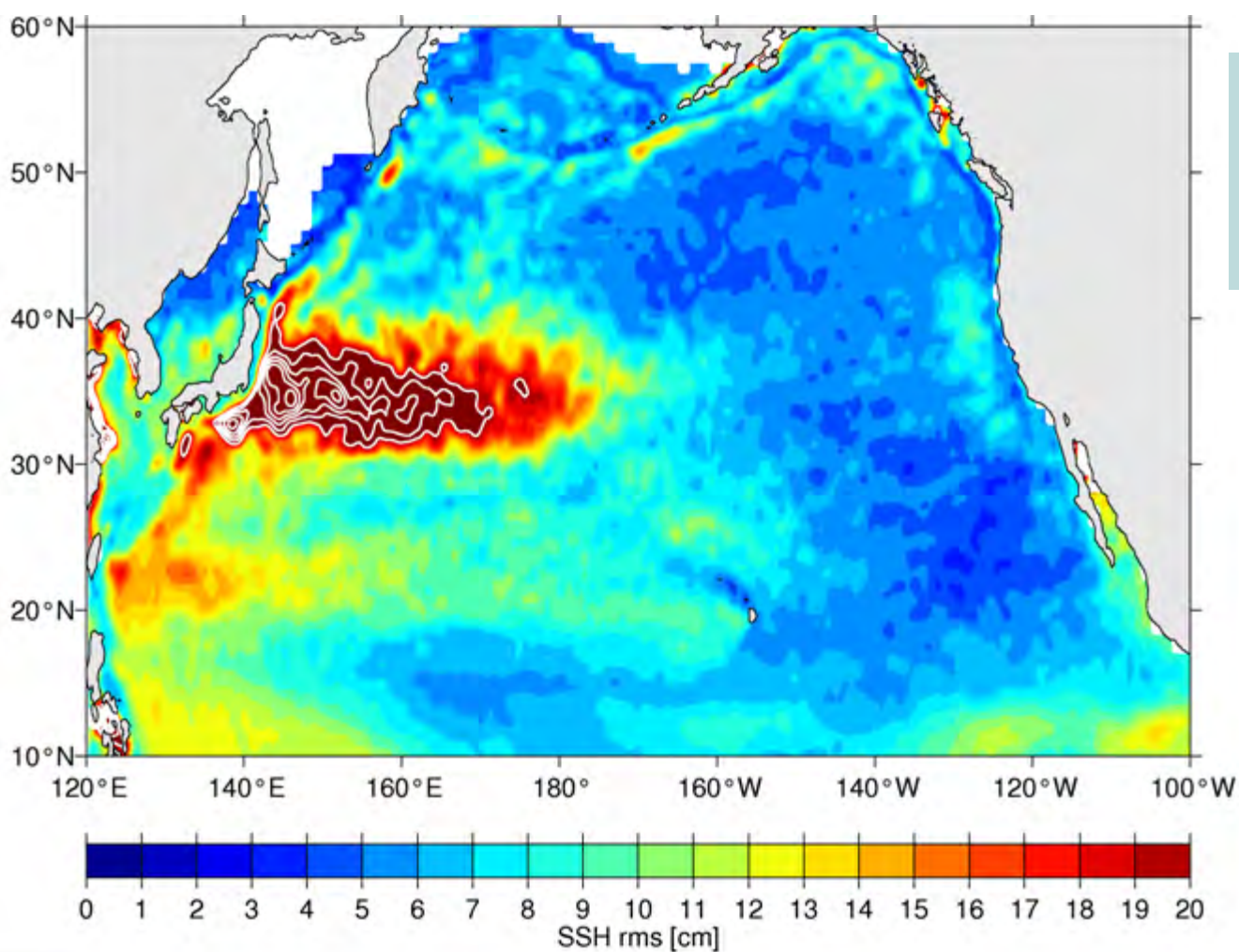


Forced vs Intrinsic Variability of the Kuroshio Extension System on Decadal Timescales

B. Qiu, S. Chen, and N. Schneider

Dept of Oceanography, University of Hawaii at Manoa



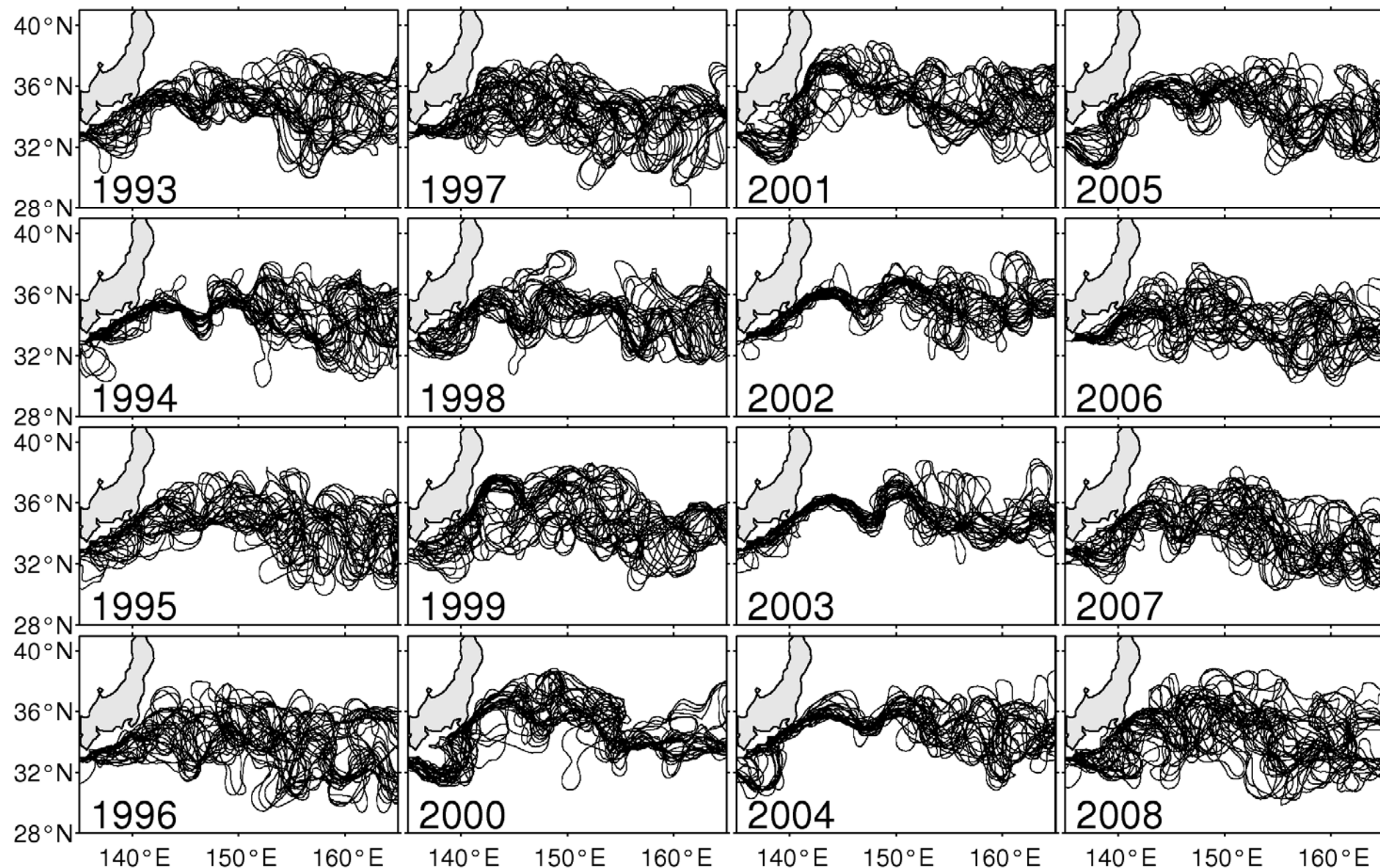


**Satellite altimeter-
derived rms SSH
variability
(10/1992-present)**

Topics

- Observed decadally-varying KE system
- Relative roles of wind forcing vs nonlinear eddy dynamics
- Decadal KE variability as a midlatitude coupled mode

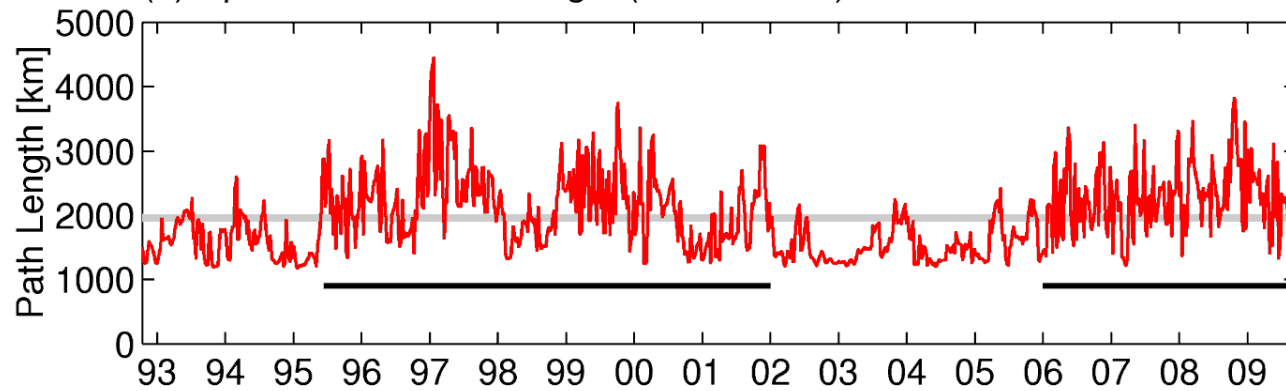
Semi-monthly Kuroshio Extension paths (1.7m SSH contours)



Stable yrs: 1993-94, 2002-04

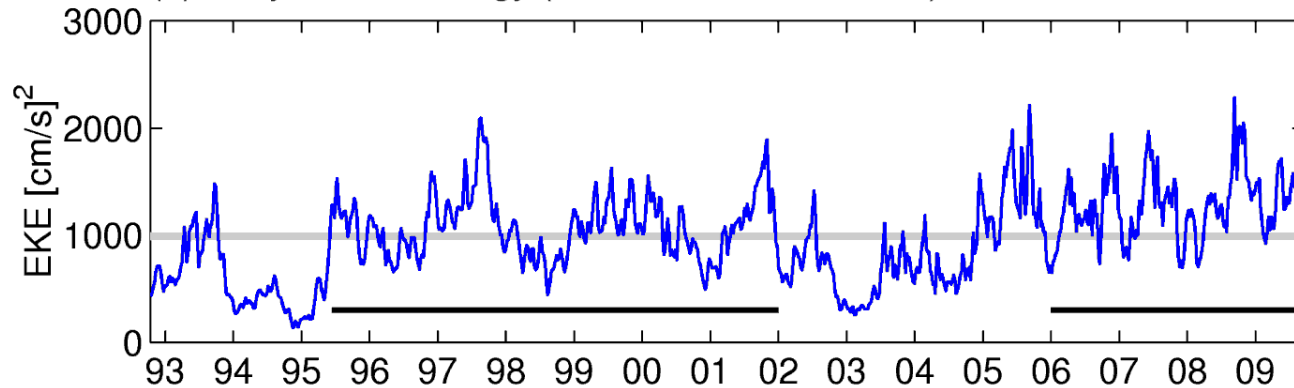
Unstable yrs: 1996-2001, 2006-08

(a) Upstream KE Path Length (141° – 153° E)



KE path length

(b) Eddy Kinetic Energy (141° – 153° E, 32° – 38° N)



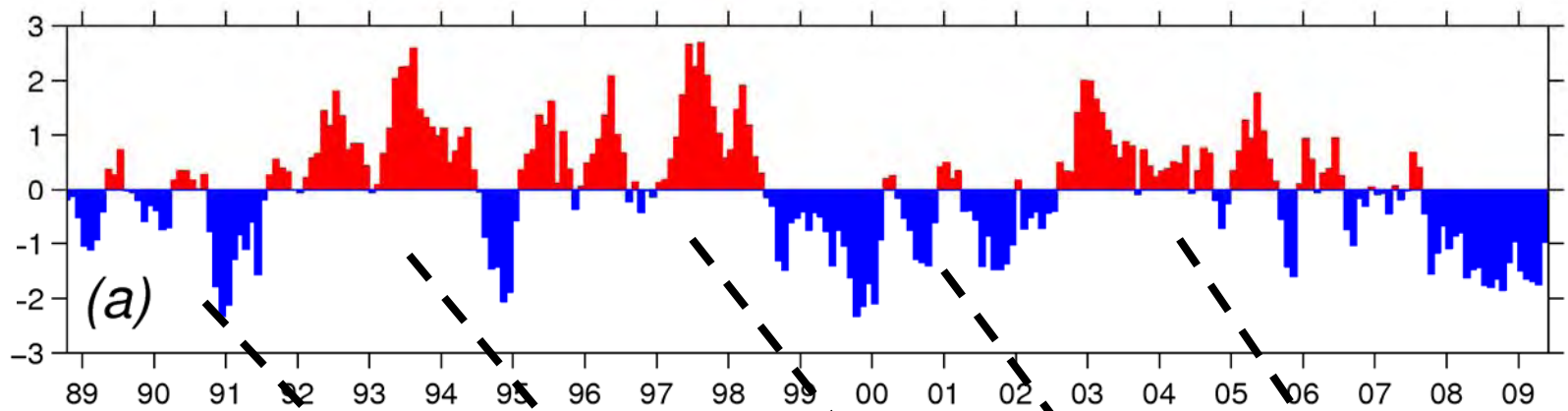
Level of EKE

Stable yrs: 1993-94, 2002-04

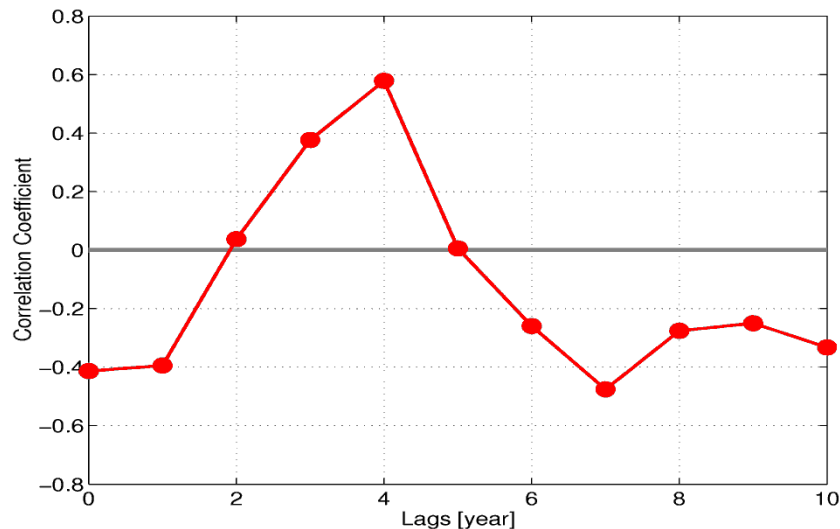
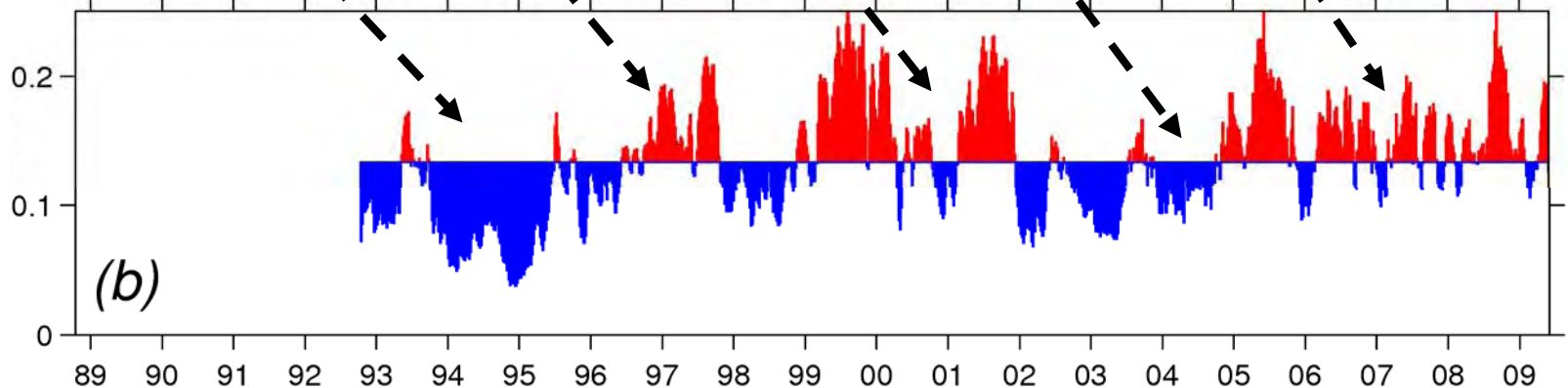
Unstable yrs: 1996-2001, 2006-08

- 
-
- **Q1: What causes the transitions between the stable and unstable dynamic states of the KE system?**

**PDO
index**



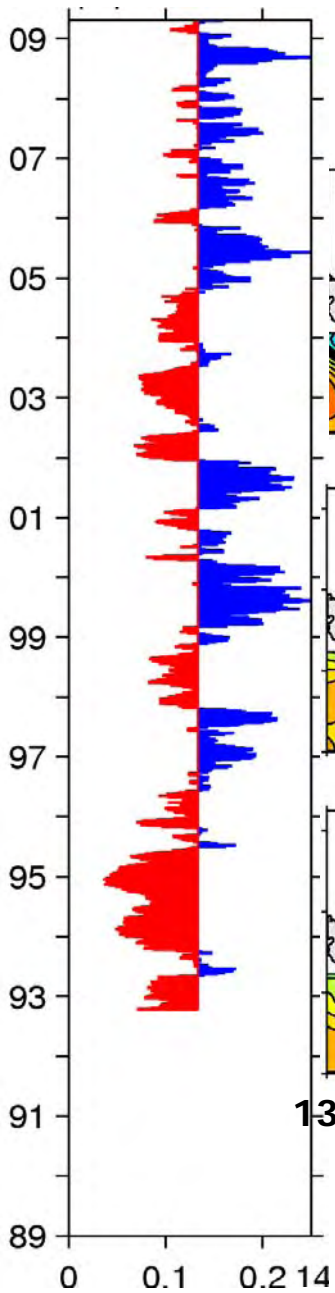
**EKE
level**



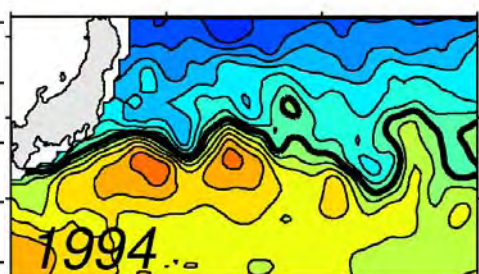
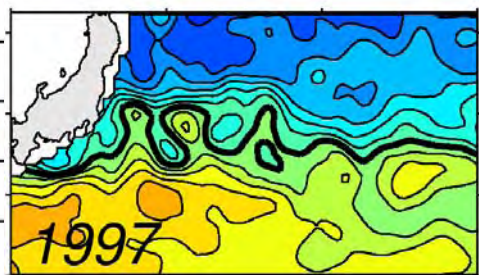
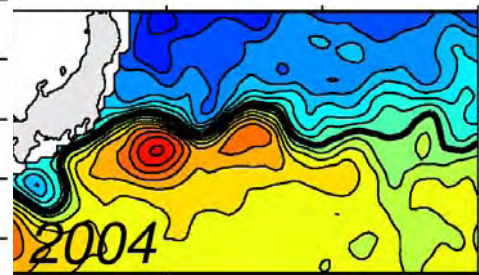
Mesoscale EKE level in the KE region lags the PDO index by ~ 4 yrs

(e.g. Miller et al. 1998; Seager et al. 2001; Schneider et al. 2002; Qiu 2002; Taguchi et al. 2007; Ceballos et al. 2009)

EKE level

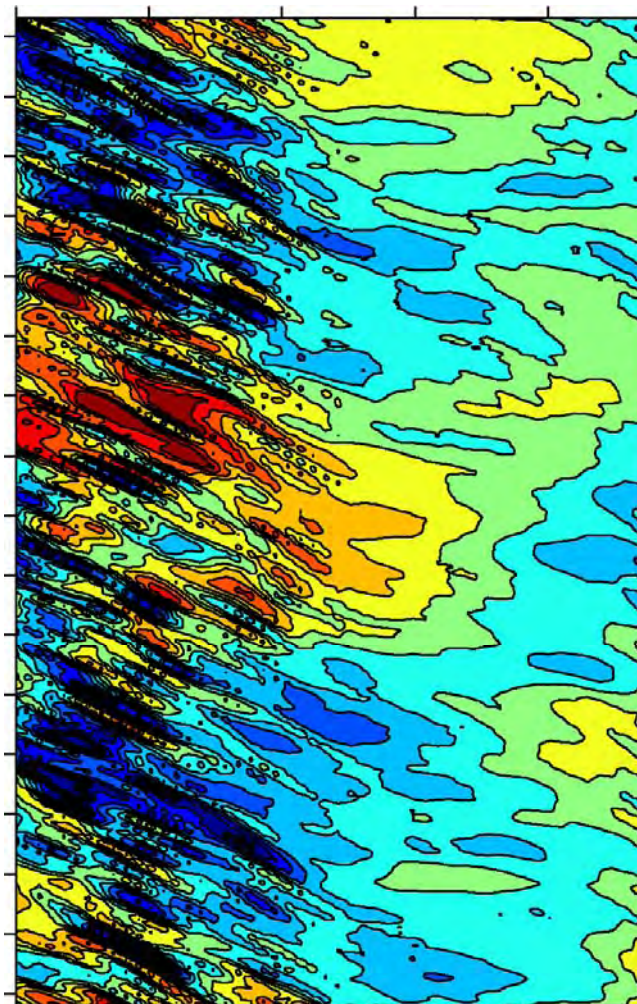


SSH field



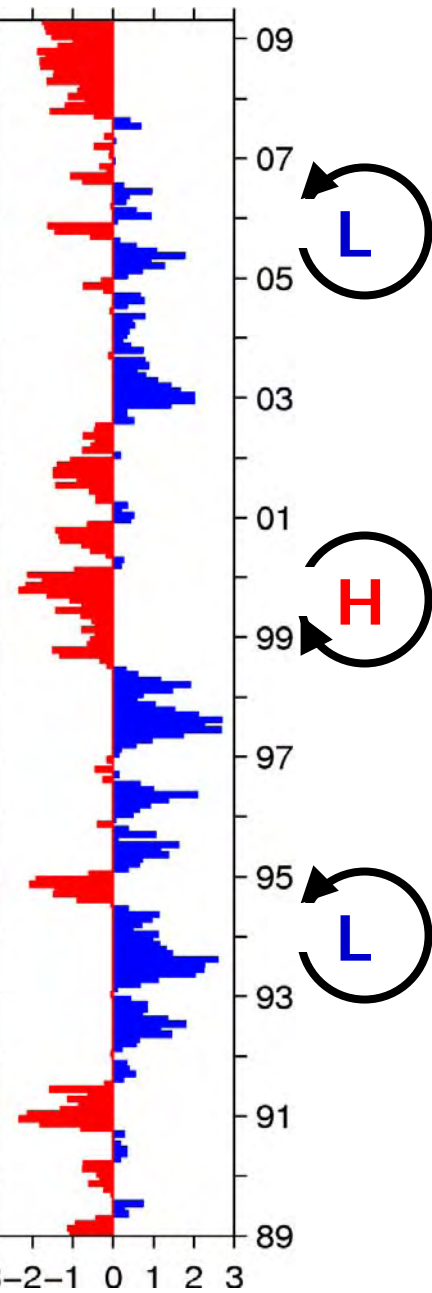
135E 145E 155E 165E

SSHA along 34°N

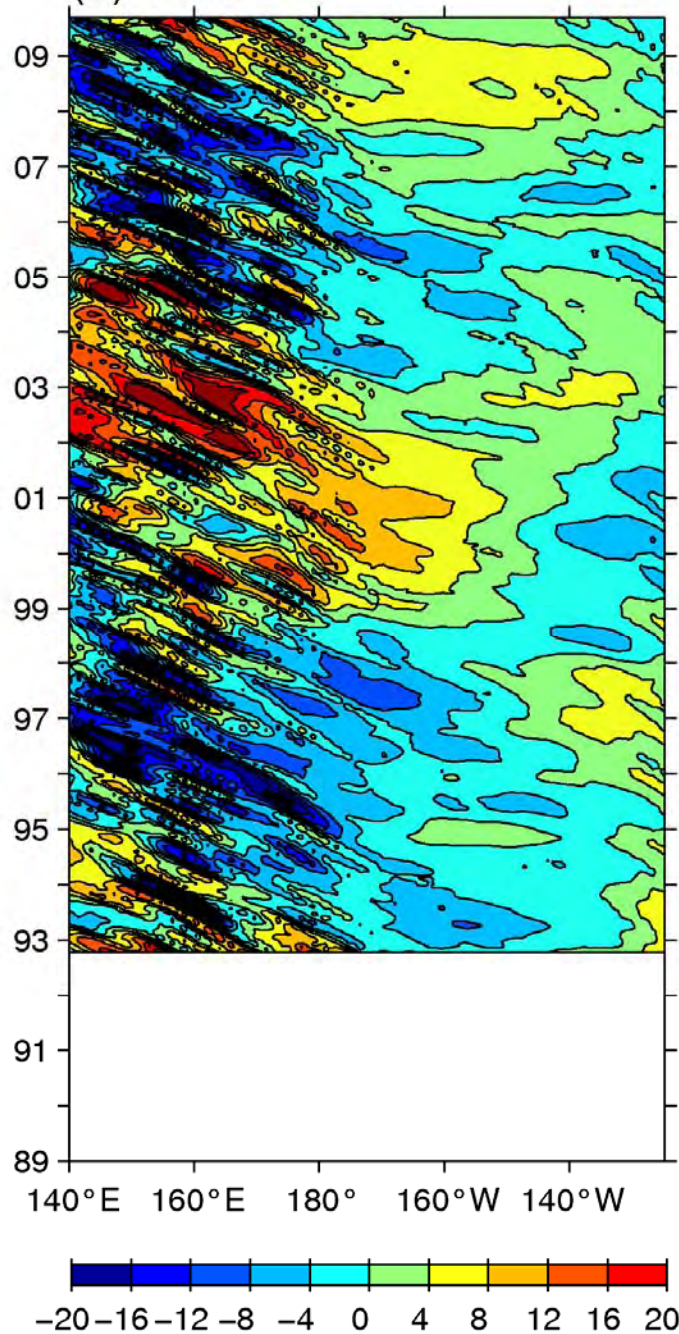


center of
PDO forcing

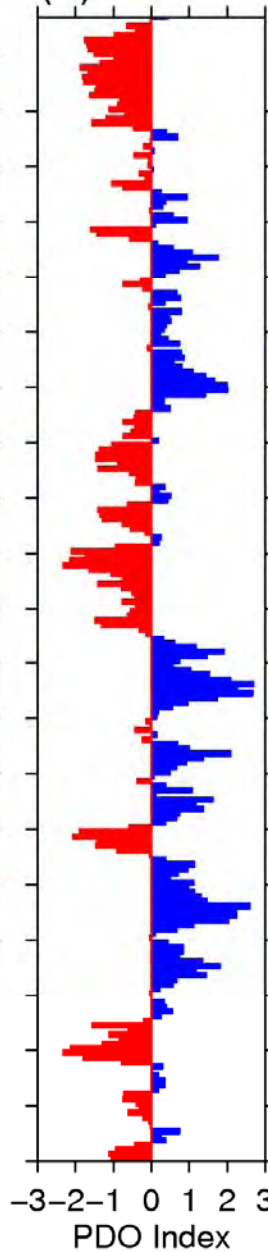
PDO index



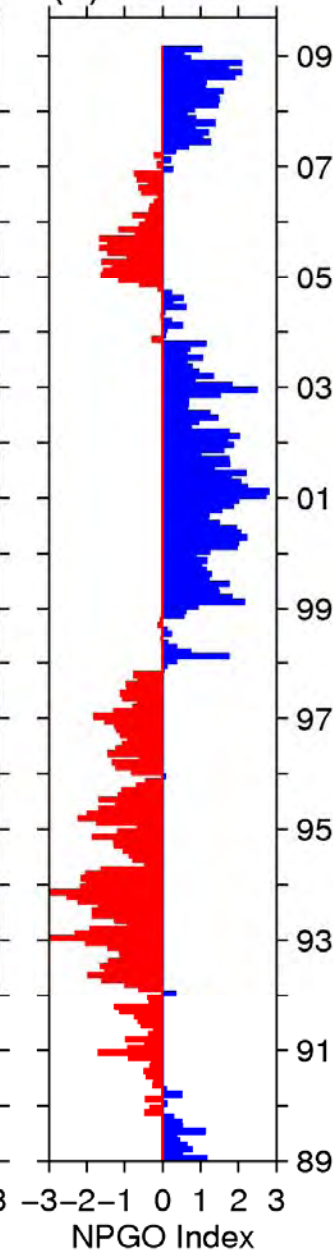
(a) SSHA



(b) PDO



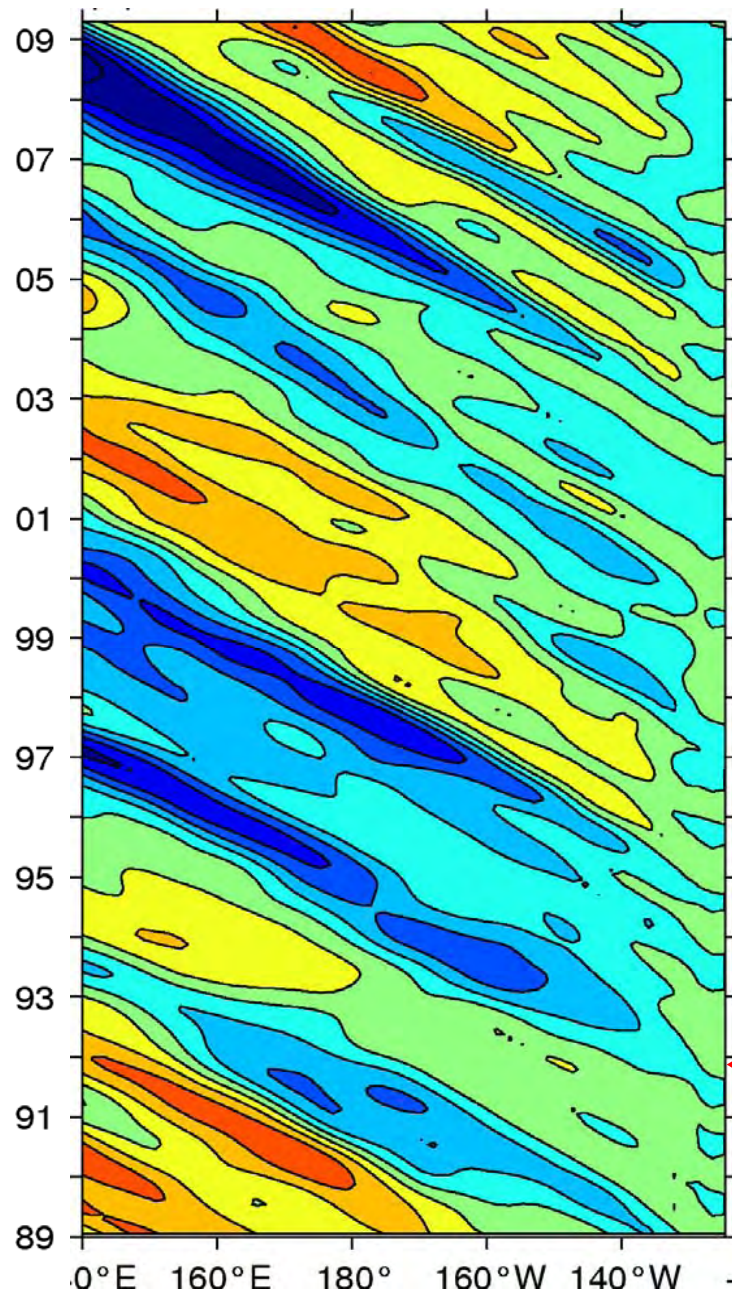
(c) NPGO



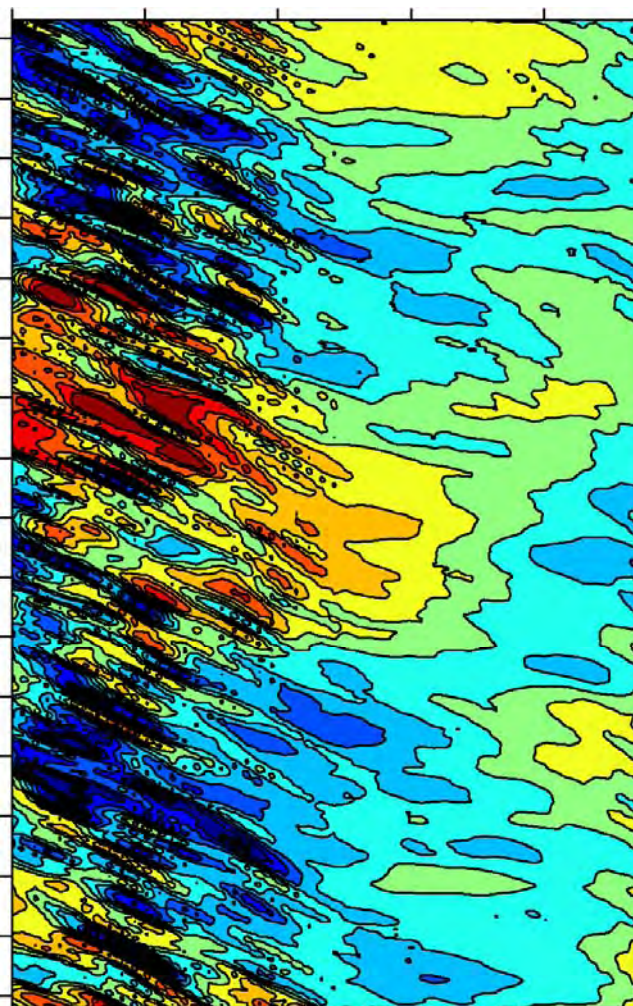
(Di Lorenzo et al. 2008)

PDO-NPGO linear
correlation:
-0.38 (monthly)
-0.62
(interannual)

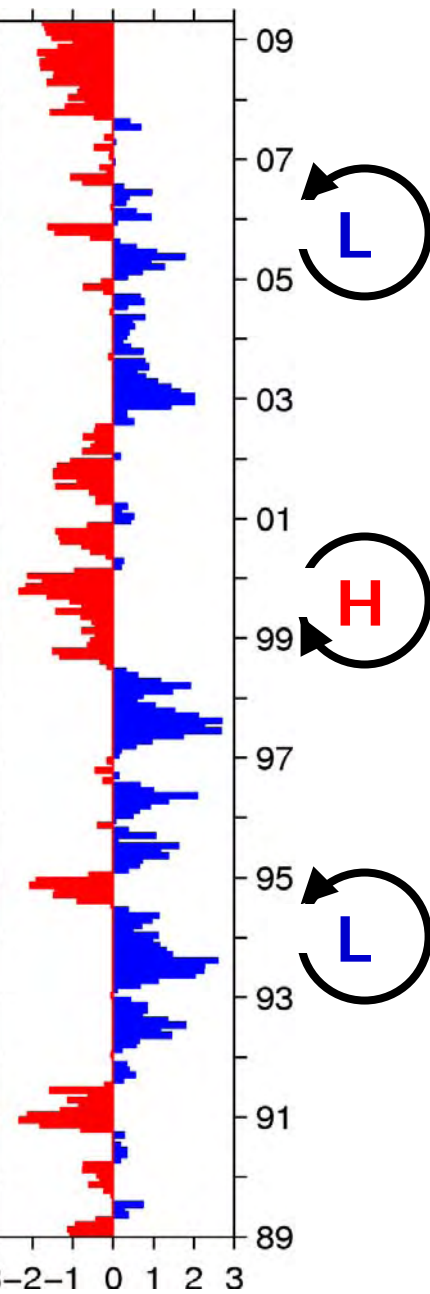
Wind-forced SSHA along 34°N



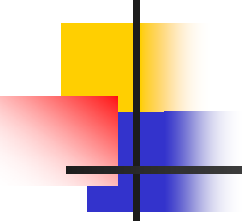
SSHA along 34°N



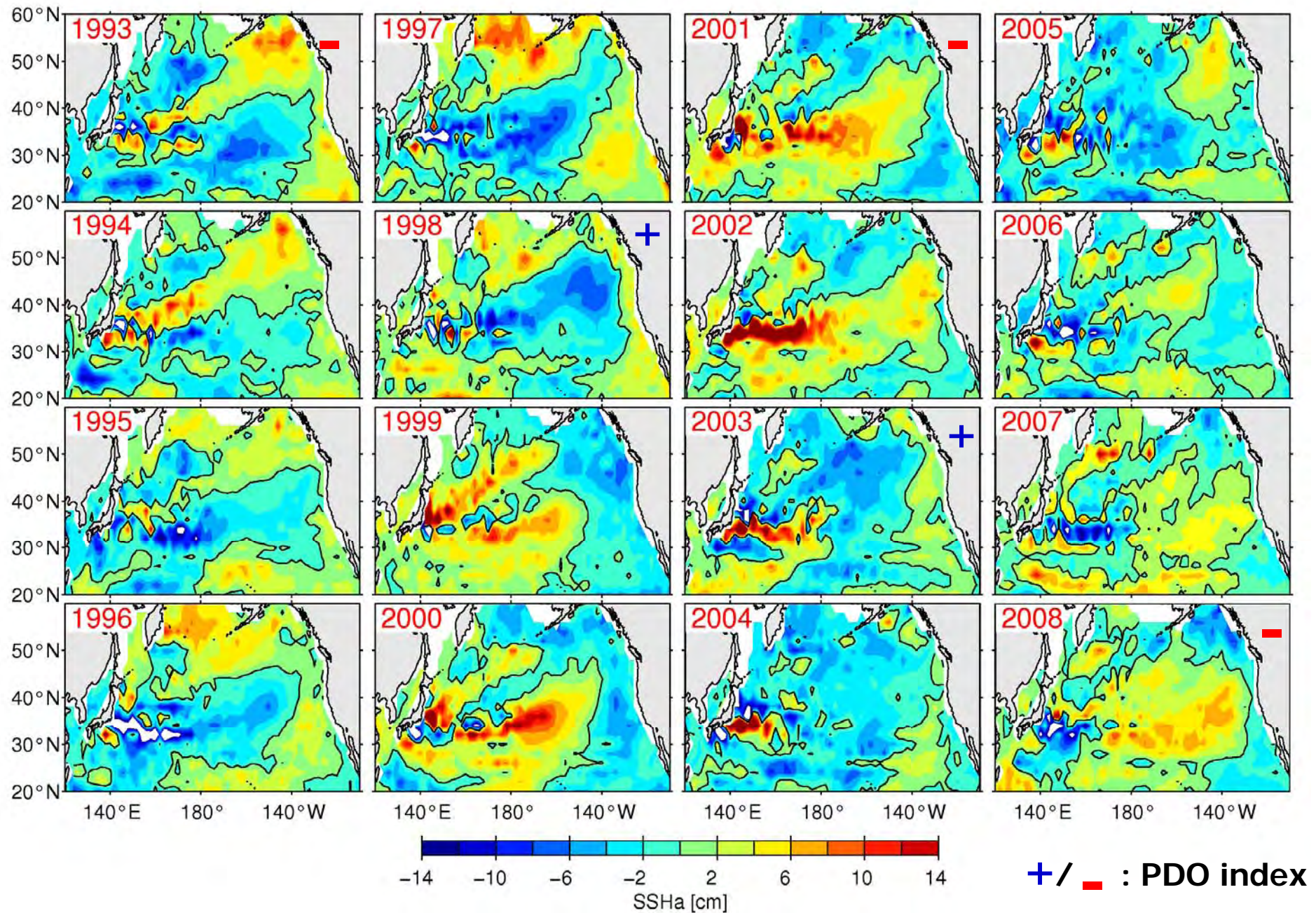
PDO index



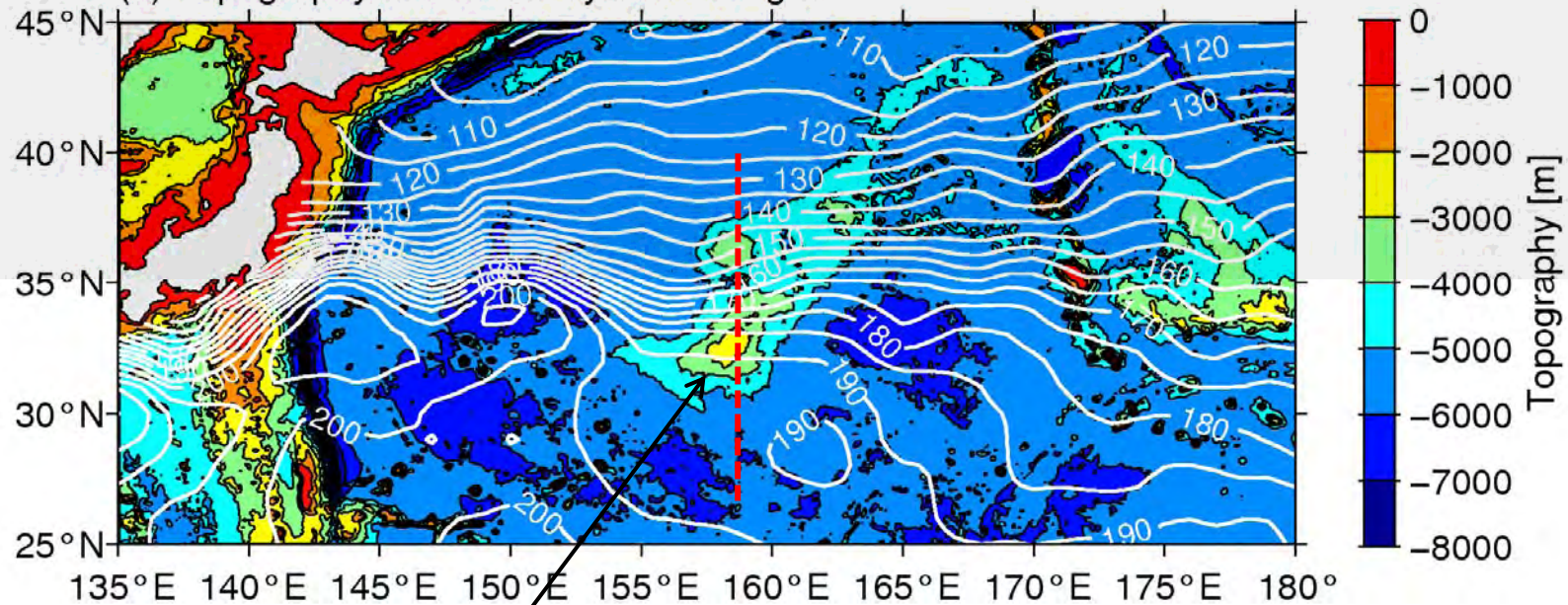
$$\frac{\partial h}{\partial t} - c_R \frac{\partial h}{\partial x} = -\frac{g' \nabla \times \tau}{\rho_0 g f},$$

- 
-
- Q1: What causes the transitions between the stable and unstable dynamic states of the KE system?
 - Q2: What roles does the nonlinear ocean dynamics play?

Yearly SSH anomaly field in the North Pacific Ocean

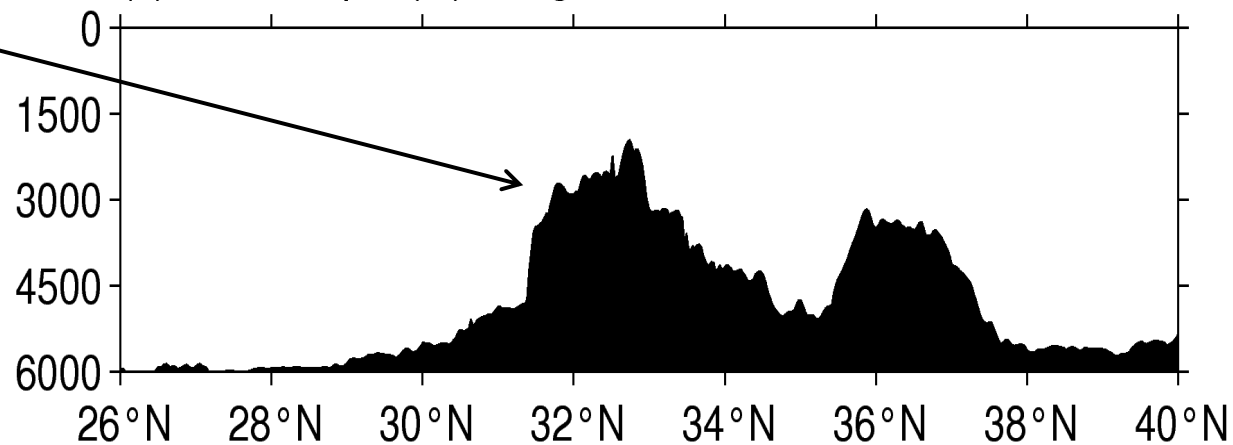


(a) Topography and Mean Dynamic Height

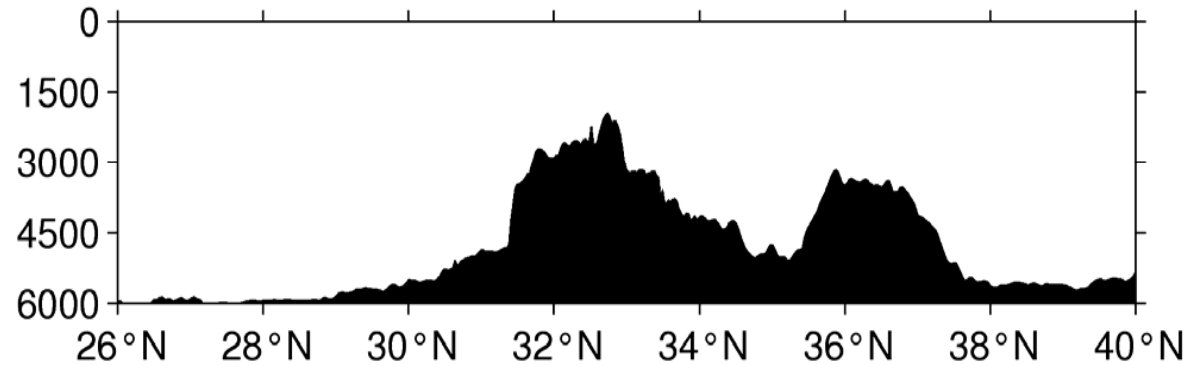


**Shatsky
Rise**

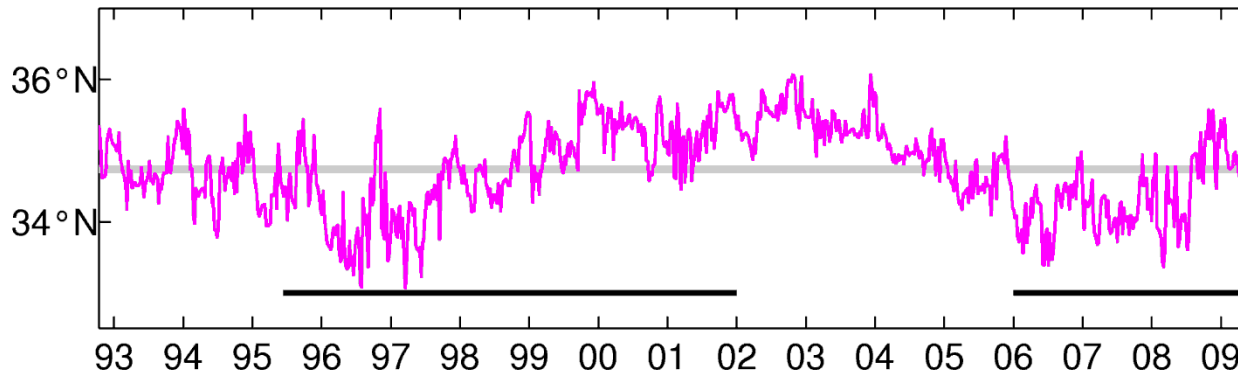
(b) Water Depth (m) along 158.2°E



(b) Water Depth (m) along 158.2°E

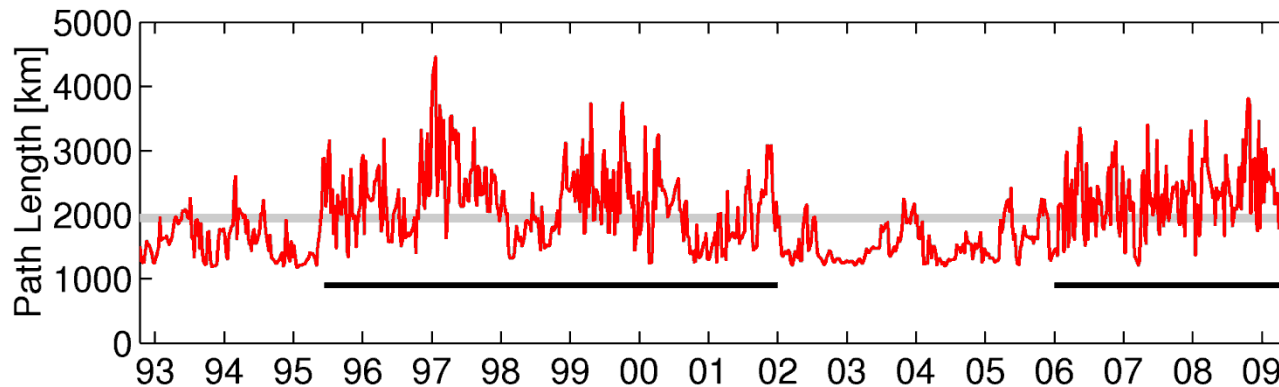


(c) Upstream KE Position (141°–165°E)



KE y-position

(a) Upstream KE Path Length (141°–153°E)



KE path length

Feedback of eddies to the modulating time-mean flow:

- Surface ocean vorticity equation:

$$\frac{g}{f} \frac{\partial(\nabla^2 \bar{h})}{\partial t} + \frac{g}{f} J(\bar{f} + \zeta, \bar{h}) = -\nabla \cdot (\bar{\mathbf{u}}' \zeta')$$

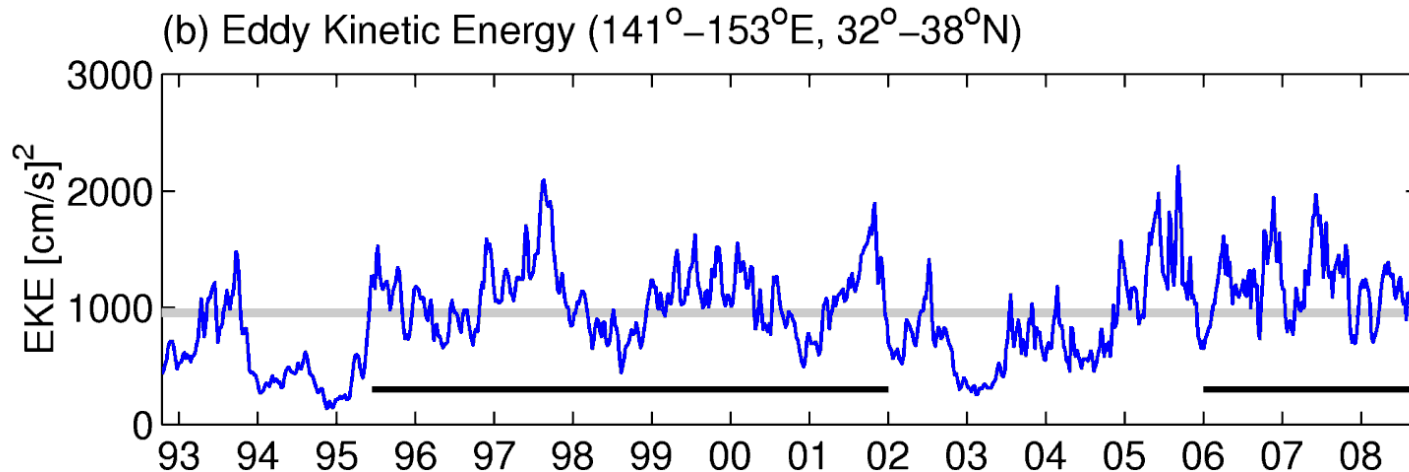
eddy-driven mean flow modulation

- Evaluate:

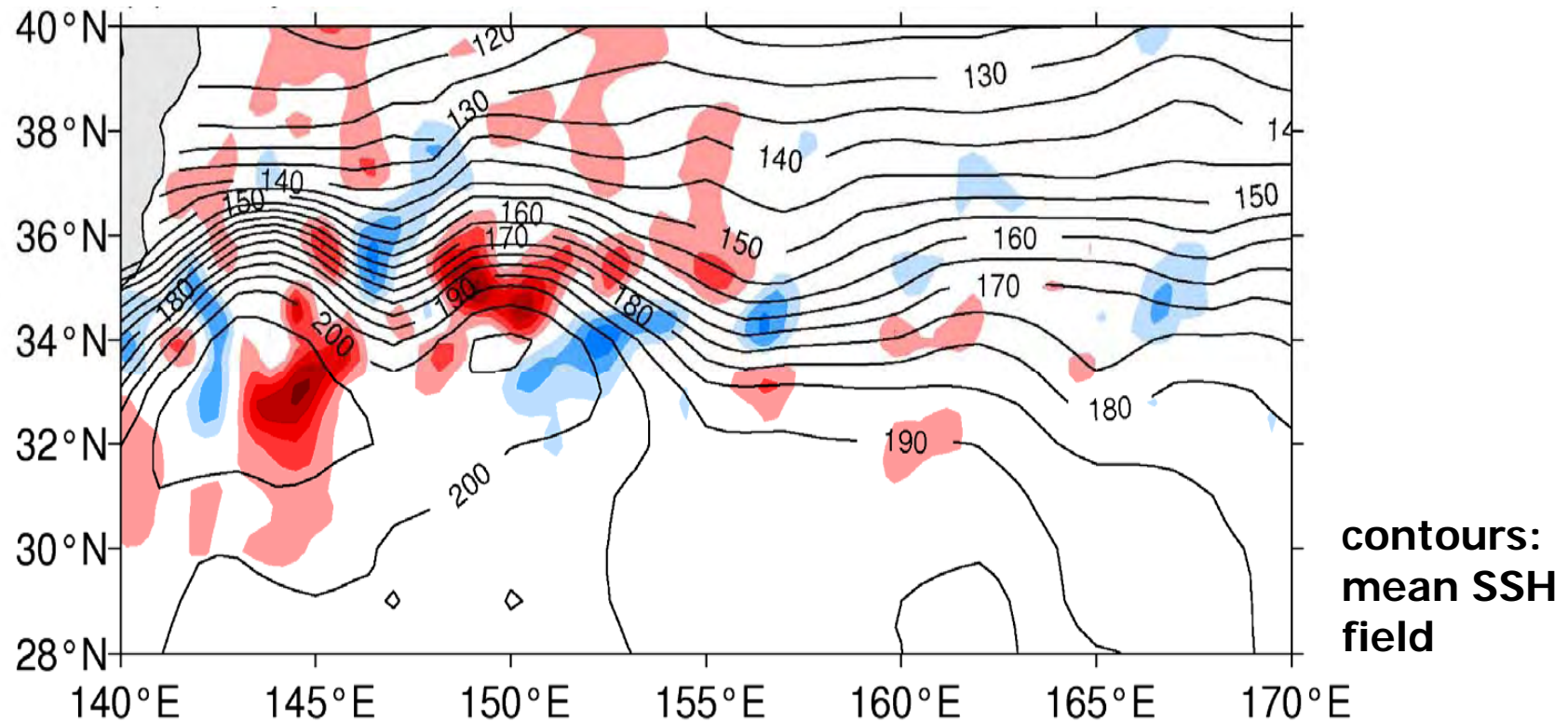
$$S(x, y, T) \equiv \frac{g}{f} \bar{h} = \nabla^{-2} [-\nabla \cdot (\bar{\mathbf{u}}' \zeta')]$$

mechanical feedback of eddies onto the time-varying SSH field (e.g. Hoskins et al. 1983, JAS)

- Regress $S(x, y, T)$ field to the observed EKE time series:

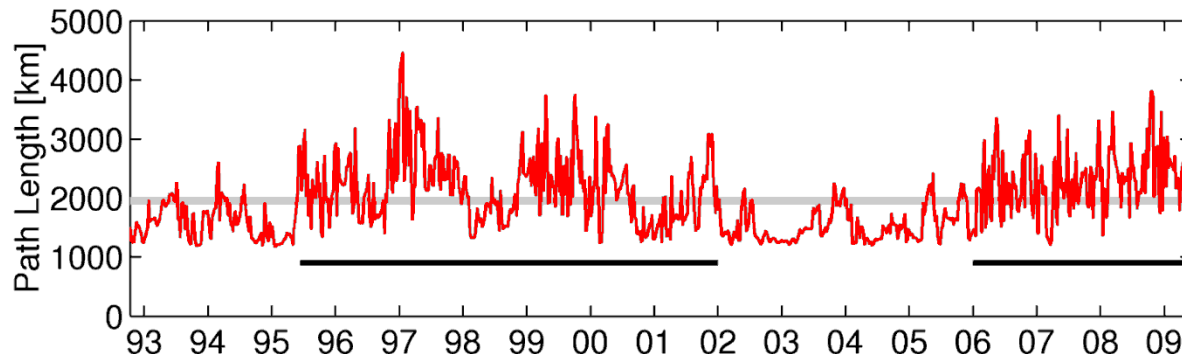


Eddy-forced $S(x,y,T)$ field regressed to the EKE time series



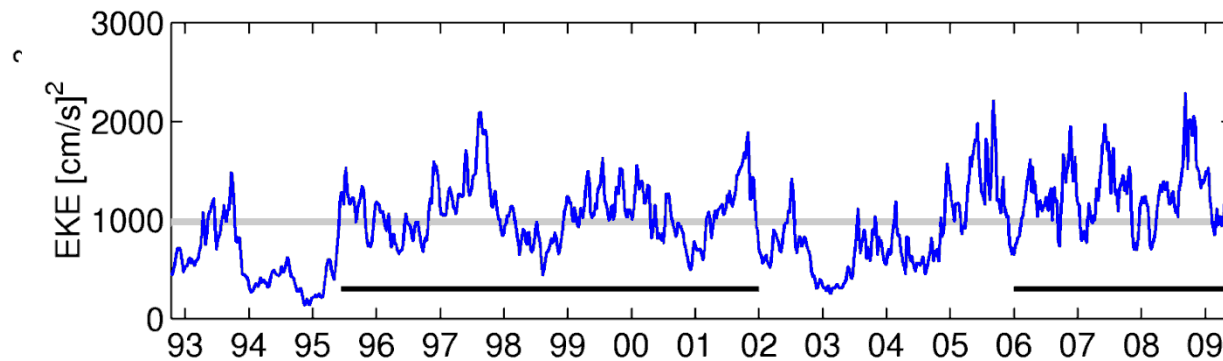
- **+: anticyclonic forcing** vs . **-: cyclonic forcing**
- In the upstream KE region, enhanced eddy variability works to increase the intensity of the southern RG.
- Enhanced eddy variability strengthens the two quasi-stationary meanders (cf. Rossby lee-wave dynamics)

(a) Upstream KE Path Length (141° – 153° E)



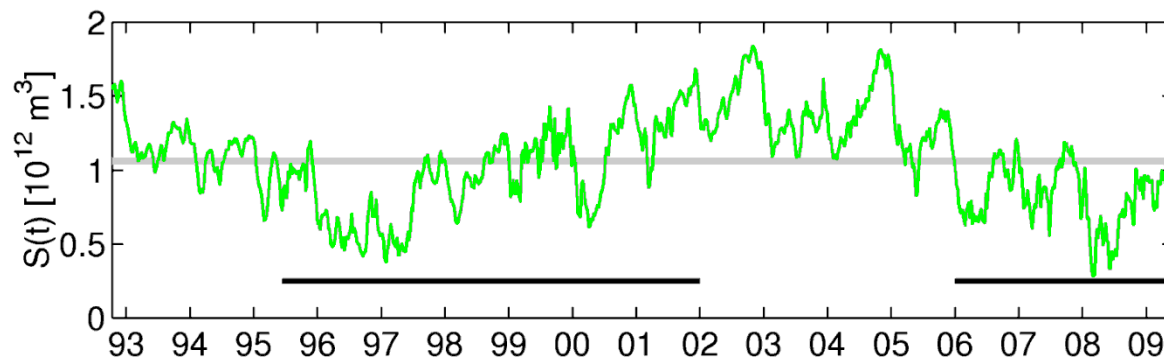
KE path length

(b) Eddy Kinetic Energy (141° – 153° E, 32° – 38° N)



Level of EKE

(d) KE Recirculation Gyre Strength



RG strength

Stable yrs: 1993-94, 2002-04

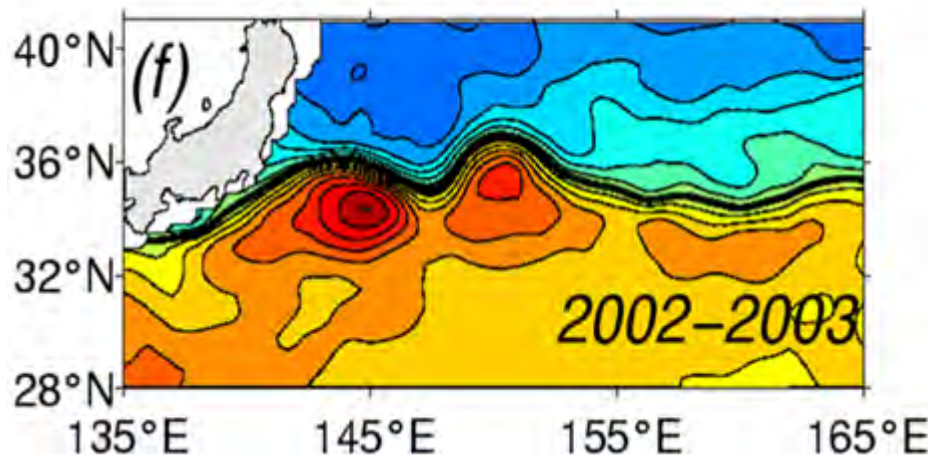
Unstable yrs: 1996-2001, 2006-08

Strong Jet/RG-Low EKE State



- Bypassing S.R. and reduced EKE level
- Strengthening RG and northerly KE jet
- Incoming positive SSHA
- Ekman convergence in the east

– PDO

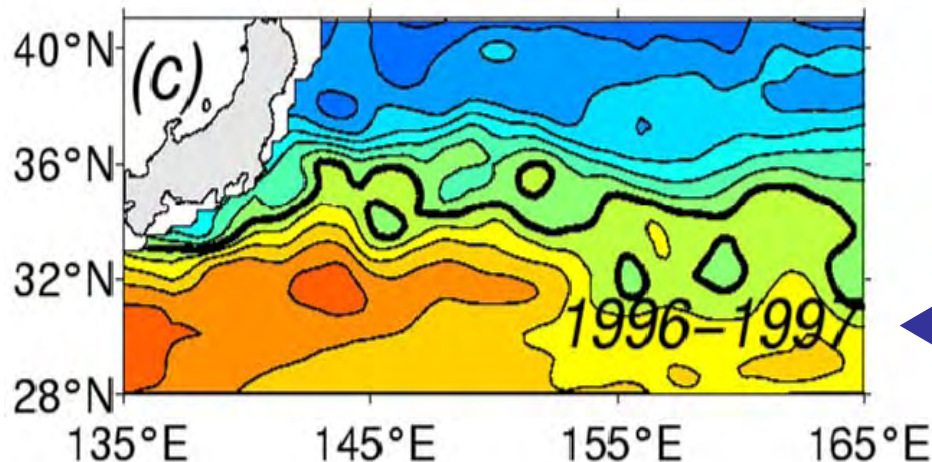


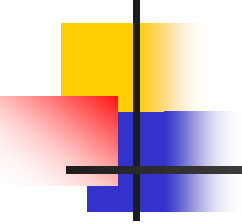
+ PDO

- Ekman divergence in the east
- Incoming negative SSHA
- Weakening RG and southerly KE jet
- Overriding S.R. and enhancing local EKE level

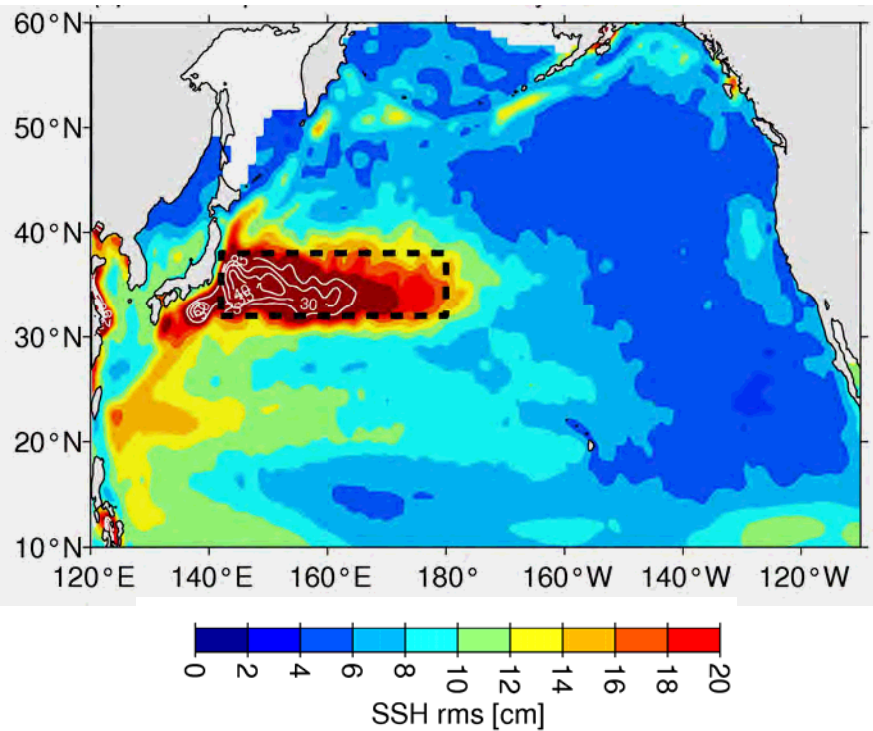


Weak Jet/RG-High EKE State

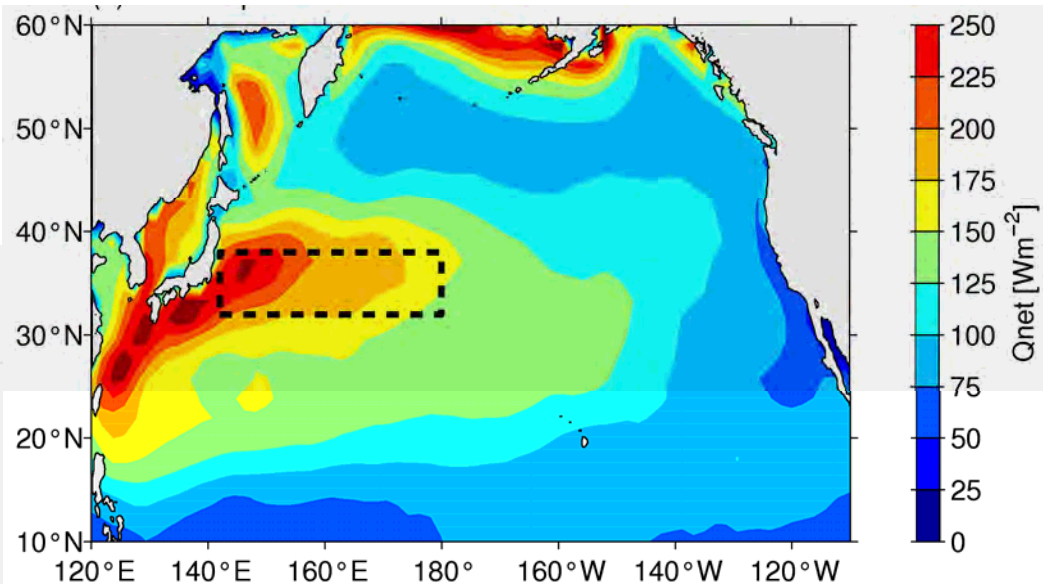


- 
-
- Q1: What causes the transitions between the stable and unstable dynamic states of the KE system?
 - Q2: What roles does the nonlinear ocean dynamics play?
 - Q3: What determines the observed, preferred decadal timescale?

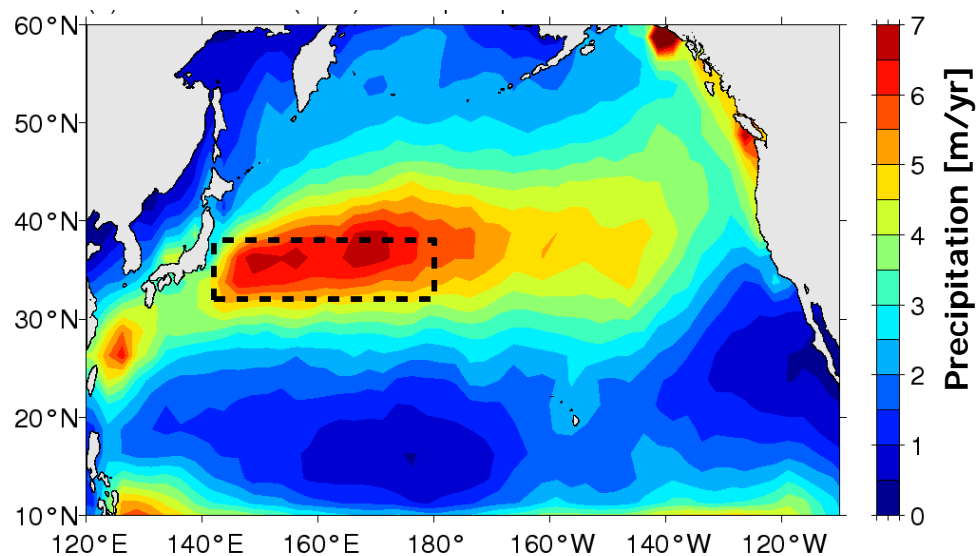
**RMS SSH variability
(AVISO data)**



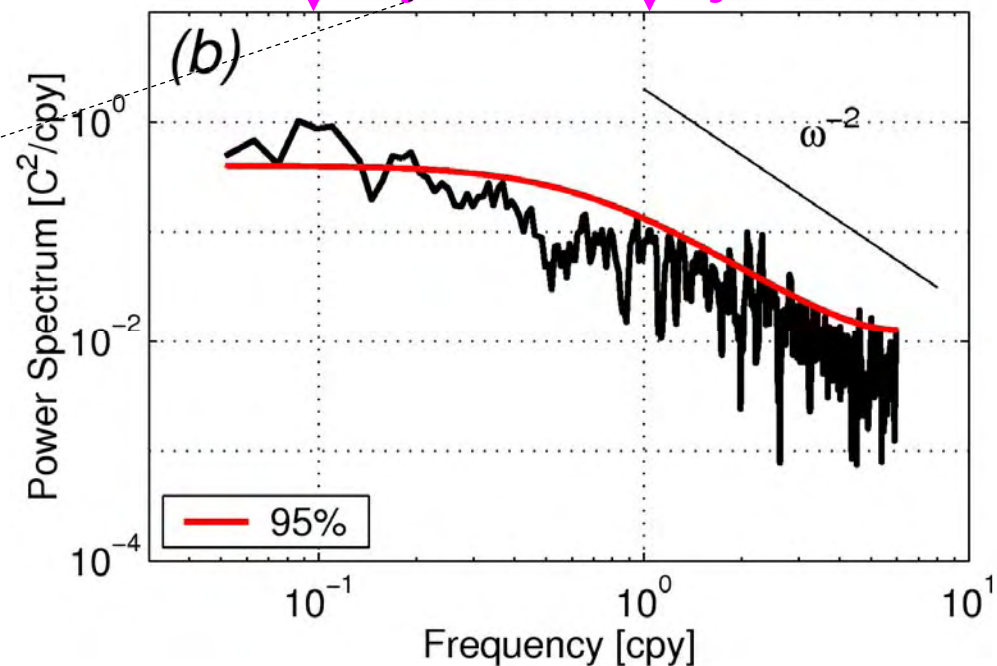
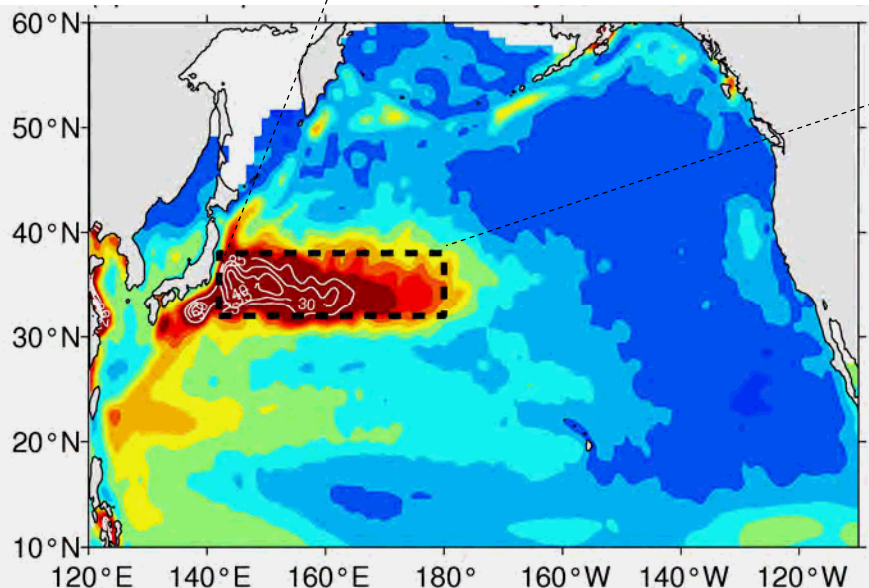
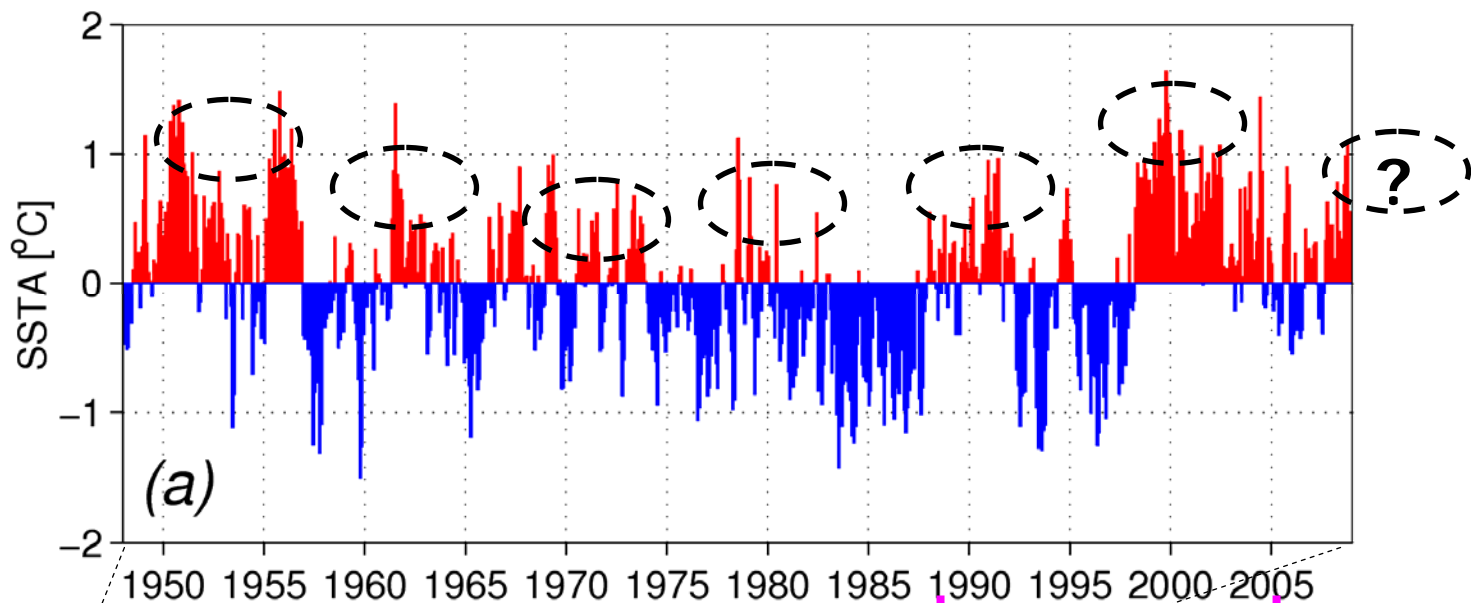
**JFM rms net surface heat flux variability
(NCEP reanalysis)**



**JFM precipitation (proxy for winter
stormtracks)**



SST anomaly time series in the KE region



An idealized air-sea coupled system:

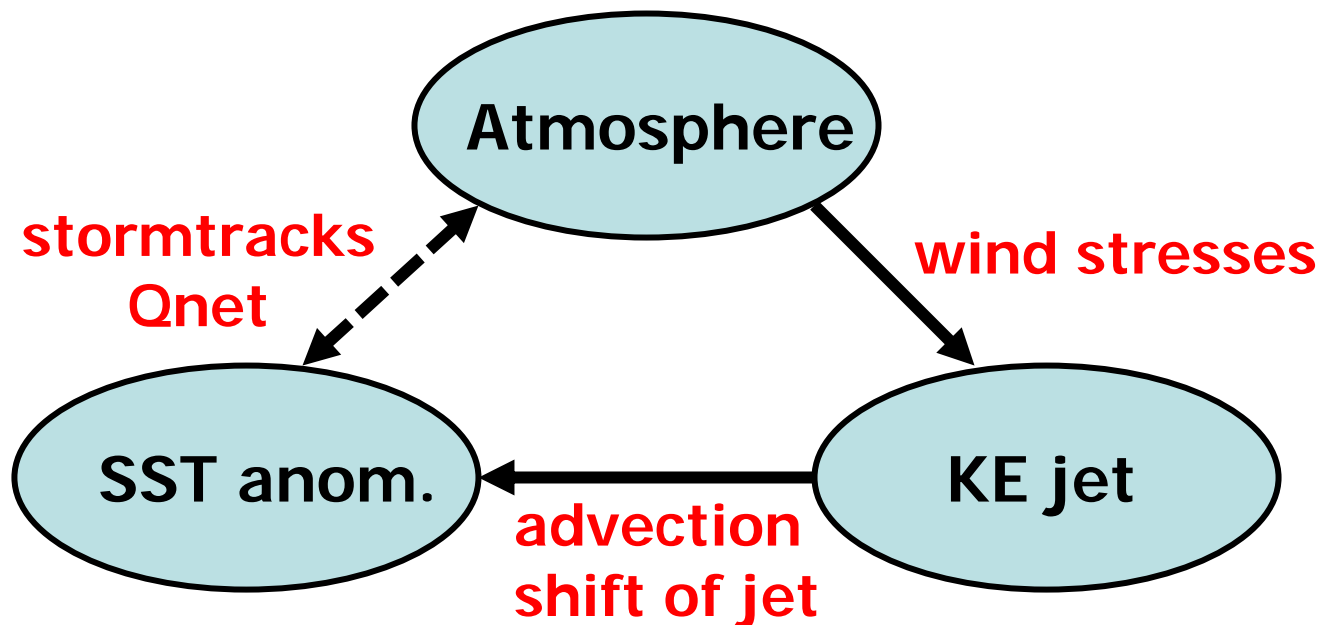
$$\frac{\partial h(x,t)}{\partial t} - c_R \frac{\partial h(x,t)}{\partial x} = -\frac{g' \text{curl} \boldsymbol{\tau}}{\rho_o g f} \quad (1)$$

$$\frac{\partial T(t)}{\partial t} = a \overline{h(t)} - \lambda T(t) + q(t) \quad (2)$$

$$-\frac{g' \text{curl} \boldsymbol{\tau}}{\rho_o g f} = \sum_{n=1}^2 \sin\left(\frac{n\pi x}{W}\right) w_n(t) + b \sin\left(\frac{2\pi x}{W}\right) T(t) \quad (3)$$

intrinsic

feedback



SST's impact from the lagged correlation approach

(Czaja and Frankignoul 1999, 2002)

Let an atmospheric variable $C(t)$ be:

$$C(t) = f(t) + F(T)$$

$$\sim f(t) + b T(t)$$

where f represents intrinsic atmospheric processes, b , the dynamic feedback coefficient, and T , SST anomalies.

Taking lagged correlation with $T(t-m)$ and ensemble average:

$$\{T(t-m)C(t)\} = \{T(t-m)\cancel{f(t)}^0\} + b\{T(t-m)T(t)\}$$


if $m > \text{a few weeks}$

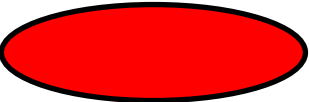
The covariance between SST and $C(t)$ when SST leads is proportional to the strength of the feedback.

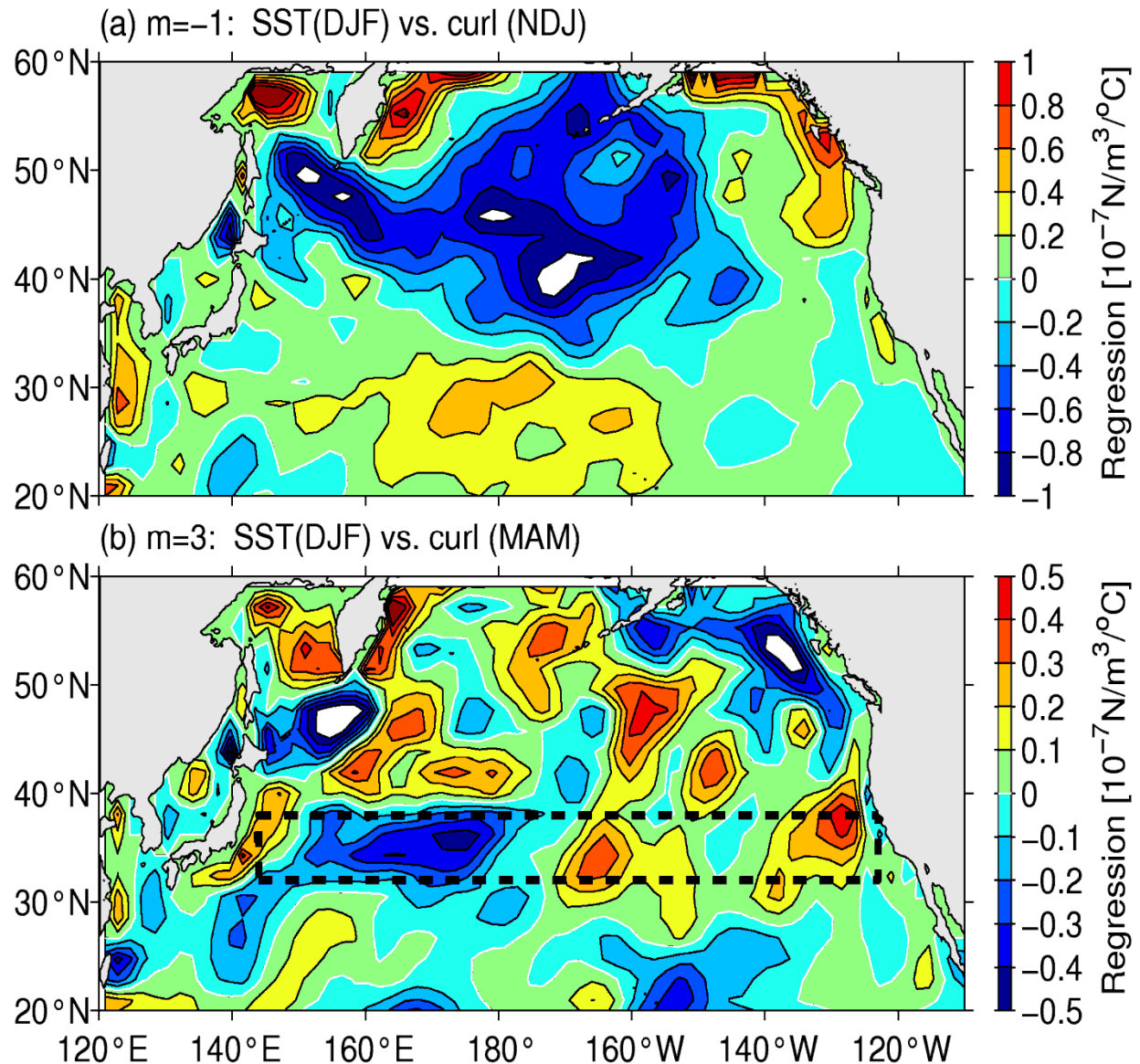
(cf. Liu and Wu 2004; Frankignoul and Sennechael 2007)

Lagged regression between KE SSTA and NP curl-tau field

- NCEP reanalysis data (1950-2008)
- ENSO signals (Nino 3.4) regressed out
- Different curl patterns with +/- lag


 $p' > 0$; curl-tau < 0


 $p' < 0$; curl-tau > 0



Parameter values appropriate for N. Pacific:

$$y = 35^\circ\text{N}, \quad c_R = 0.033 \text{ m/s}$$

band of action

$$W = 95^\circ\text{lon.}, \quad L = 40^\circ\text{lon.}$$

band configuration

→ $a = 2.73 \times 10^{-7} \text{ K/m/s}$

advection parameter
(likely underestimated!)

$$\lambda = 1/129.2 \text{ days}$$

oceanic damping timescale

$$|\widehat{w}_1(\omega)|^2 = 1.127 \times 10^{-18} \text{ m}^2/\text{s}^2/\text{cpy}$$

power of stochastic wind stress forcing (n=1)

$$|\widehat{w}_2(\omega)|^2 = 0.643 \times 10^{-18} \text{ m}^2/\text{s}^2/\text{cpy}$$

power of stochastic wind stress forcing (n=2)

$$|\widehat{q}(\omega)|^2 = 2.89 \times 10^{-15} \text{ K}^2/\text{s}^2/\text{cpy}$$

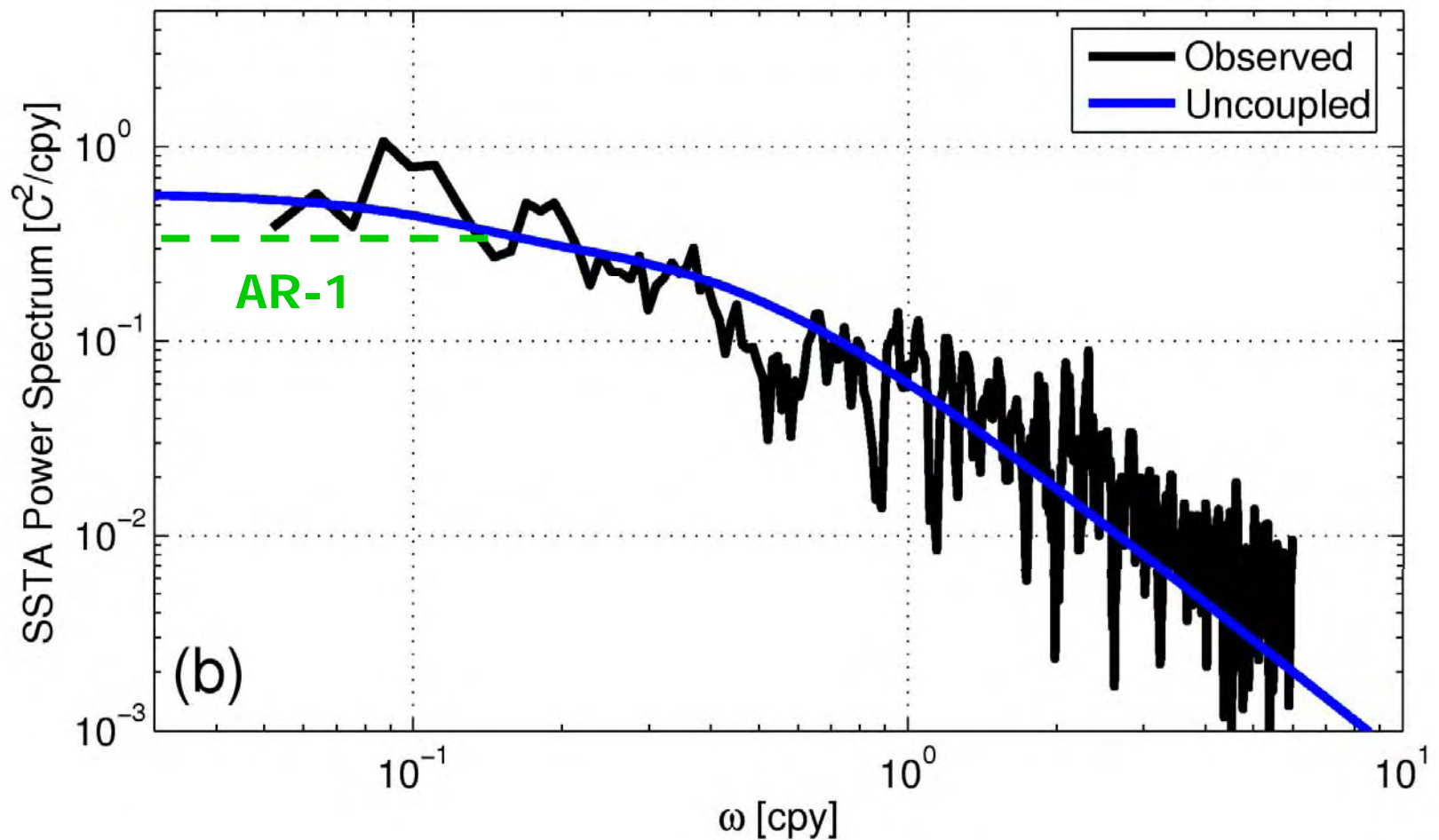
power of stochastic heat flux forcing

→ $b = 6.64 \times 10^{-10} \text{ m/s/K}$

air-sea coupling parameter

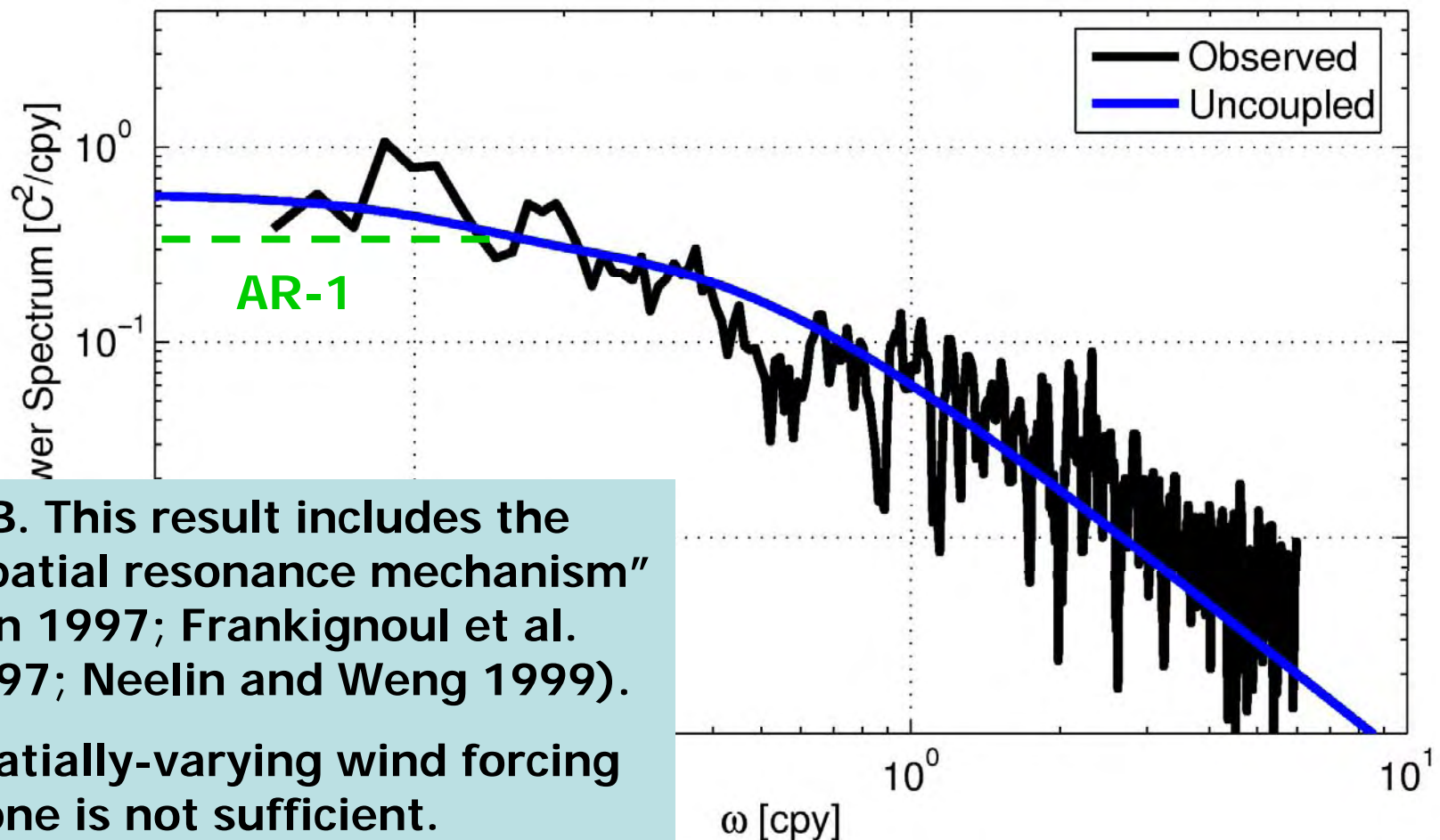
Uncoupled case (b=0)

$$|\widehat{T}(\omega)|_{\text{uncoupled}}^2 = \frac{1}{\lambda^2 + \omega^2} \left[a^2 \sum_{n=1}^2 |P_n(\omega)|^2 |\widehat{w}_n(\omega)|^2 + |\widehat{q}(\omega)|^2 \right]$$



Uncoupled case (b=0)

$$|\hat{T}(\omega)|_{\text{uncoupled}}^2 = \frac{1}{\lambda^2 + \omega^2} \left[a^2 \sum_{n=1}^2 |P_n(\omega)|^2 |\hat{w}_n(\omega)|^2 + |\hat{q}(\omega)|^2 \right]$$

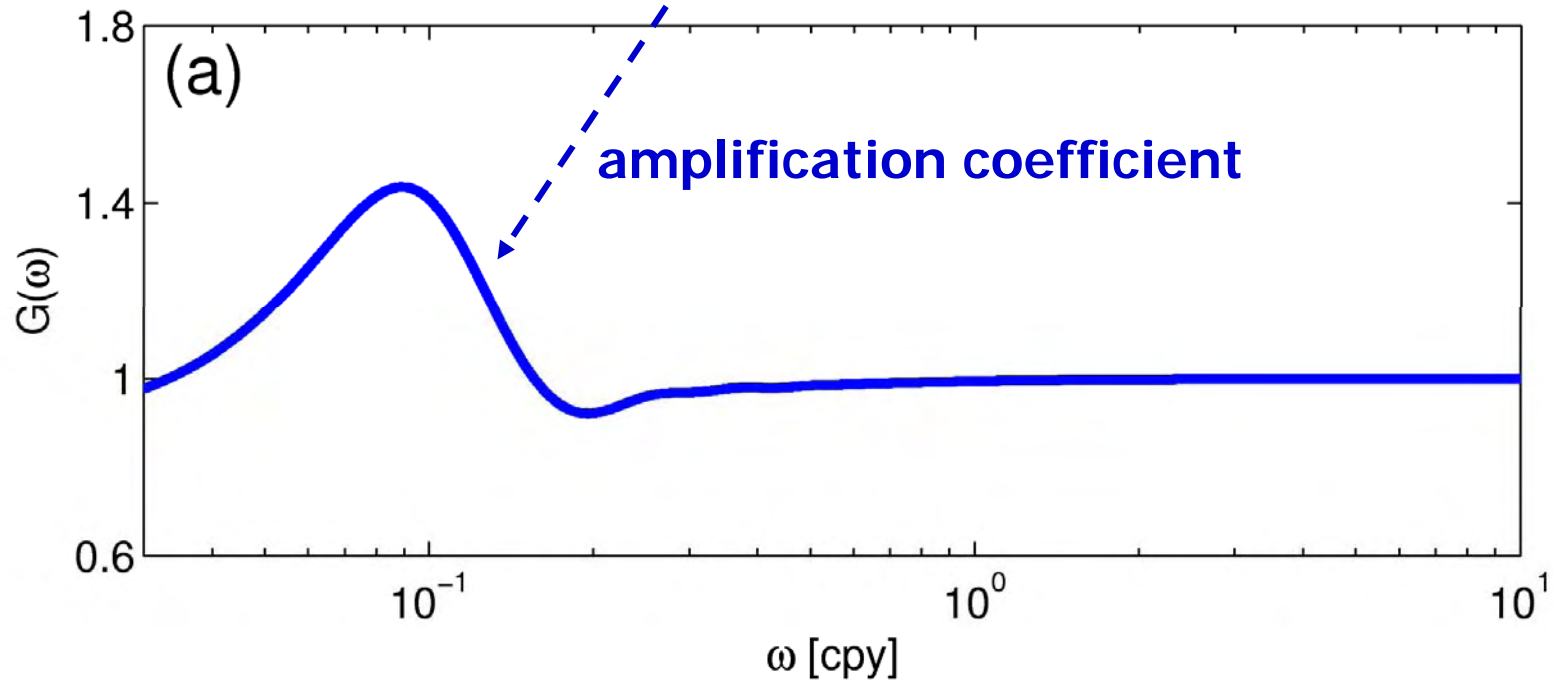


N.B. This result includes the “spatial resonance mechanism” (Jin 1997; Frankignoul et al. 1997; Neelin and Weng 1999).

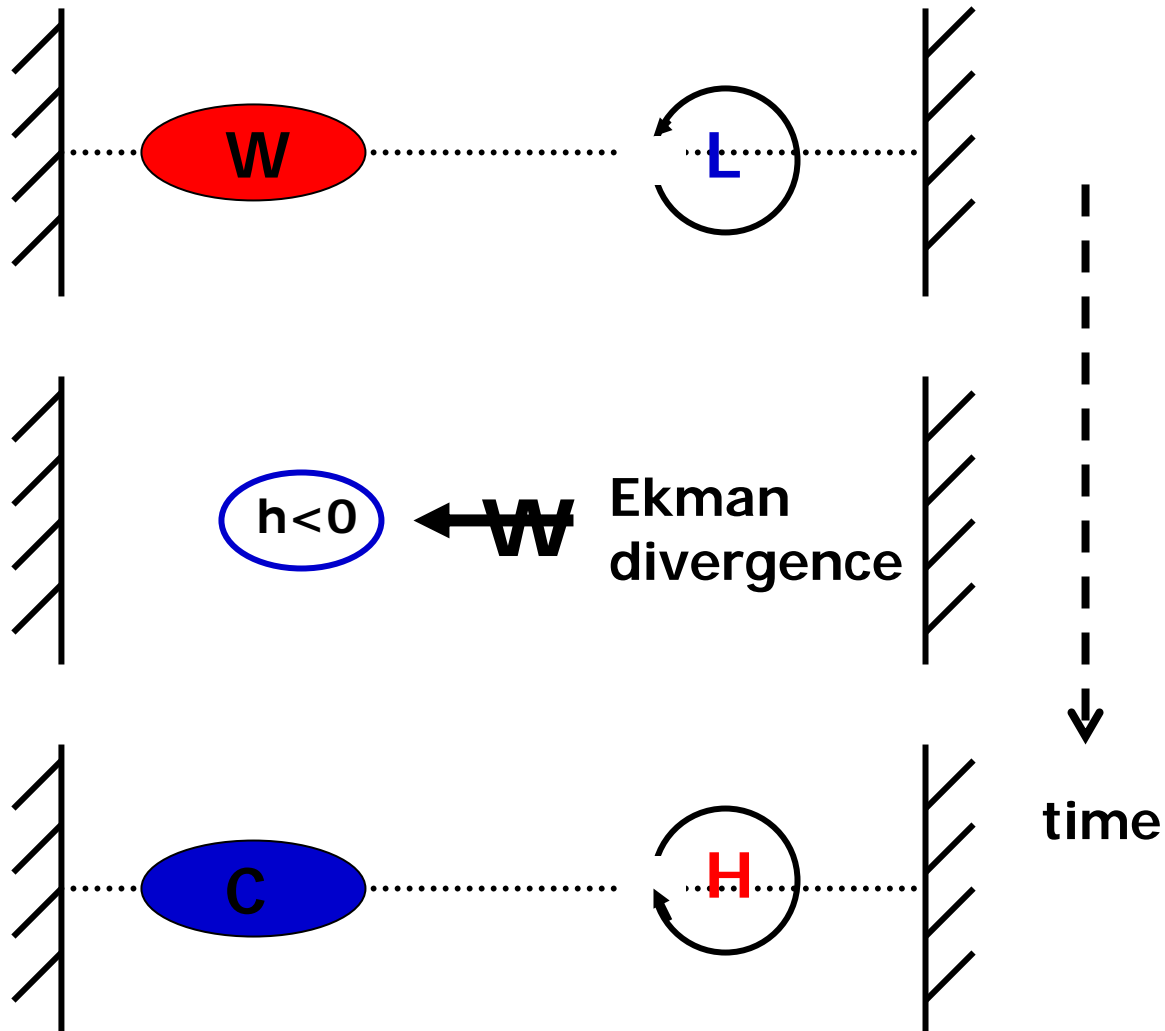
Spatially-varying wind forcing alone is not sufficient.

Coupled case ($b \neq 0$)

$$|\hat{T}(\omega)|_{\text{coupled}}^2 = \left| \frac{\lambda + i\omega}{\lambda + i\omega - abP_2(\omega)} \right|^2 |\hat{T}(\omega)|_{\text{uncoupled}}^2$$



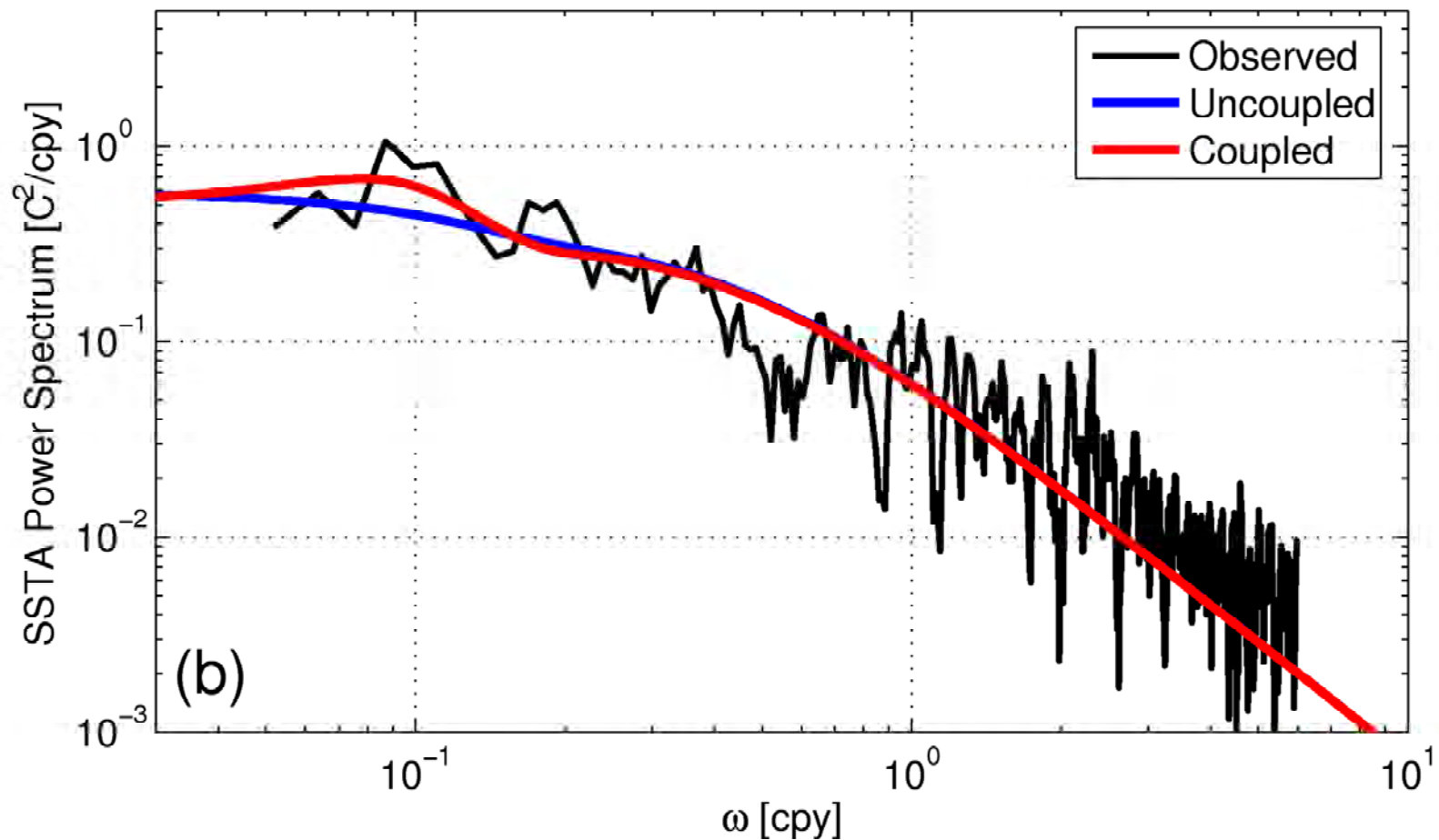
Schematic for the coupled oscillation



half of the optimal period $\sim (W/2)/c_R$

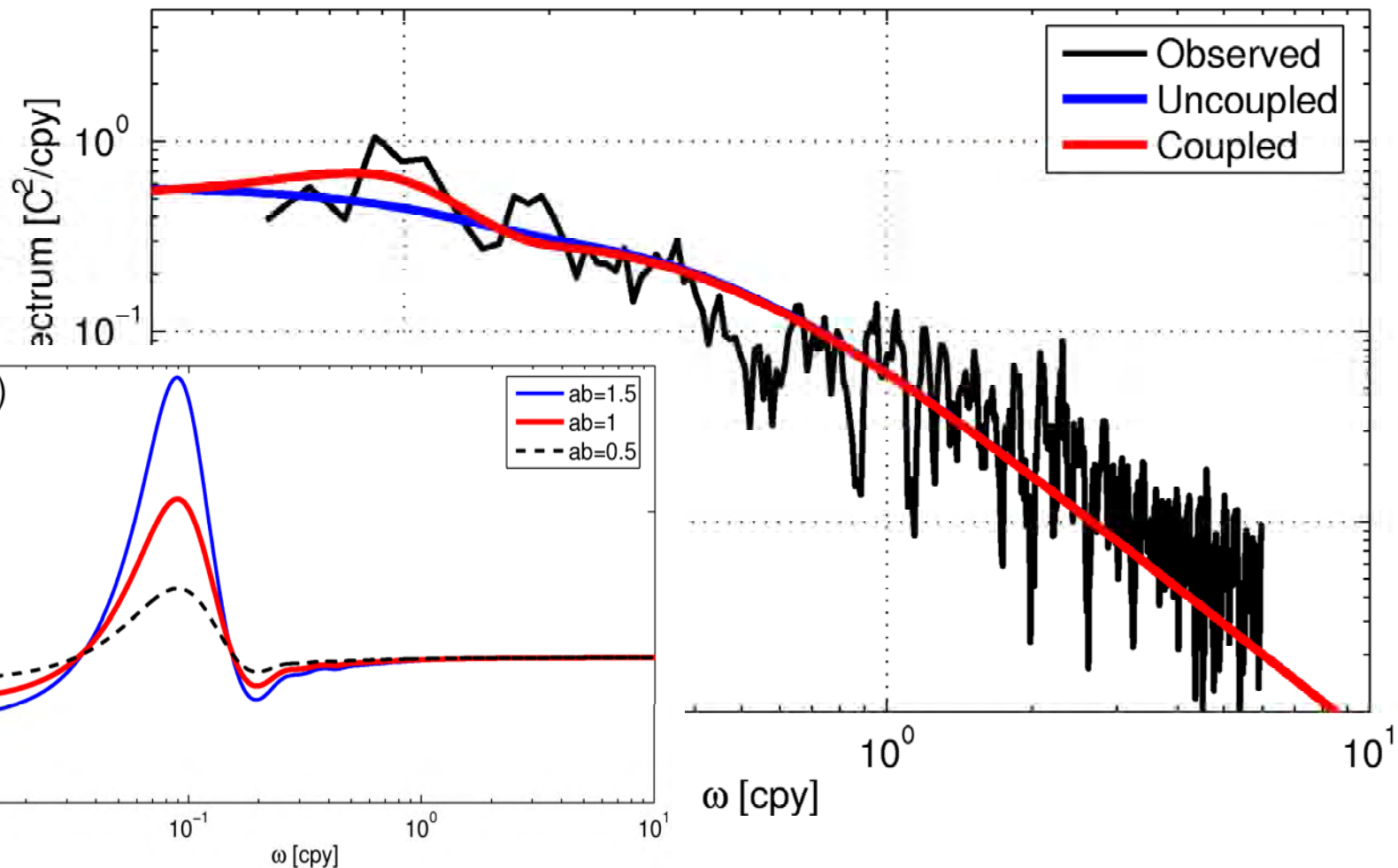
Coupled case ($b \neq 0$)

$$|\hat{T}(\omega)|_{\text{coupled}}^2 = \left| \frac{\lambda + i\omega}{\lambda + i\omega - abP_2(\omega)} \right|^2 |\hat{T}(\omega)|_{\text{uncoupled}}^2$$



Coupled case ($b \neq 0$)

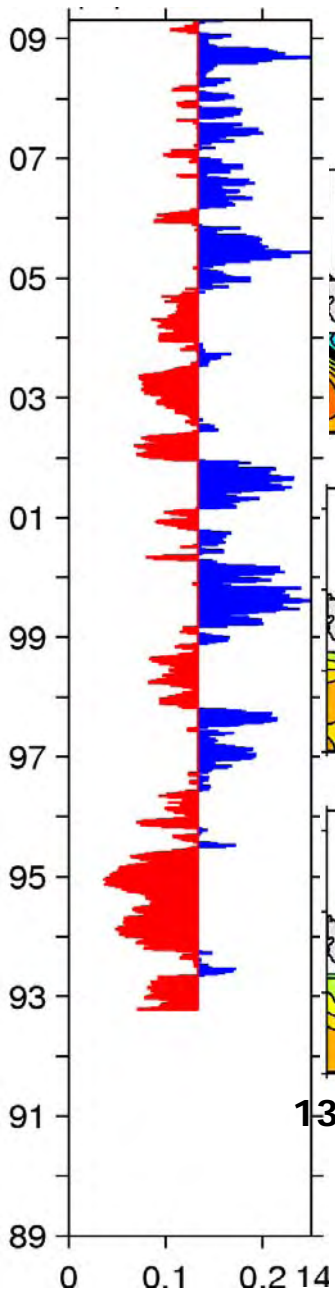
$$|\hat{T}(\omega)|_{\text{coupled}}^2 = \left| \frac{\lambda + i\omega}{\lambda + i\omega - abP_2(\omega)} \right|^2 |\hat{T}(\omega)|_{\text{uncoupled}}^2$$



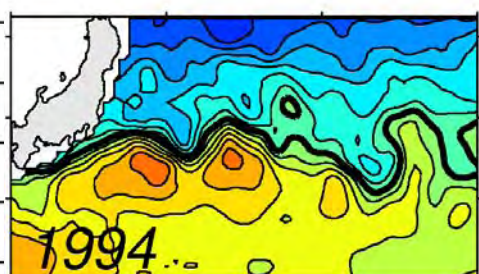
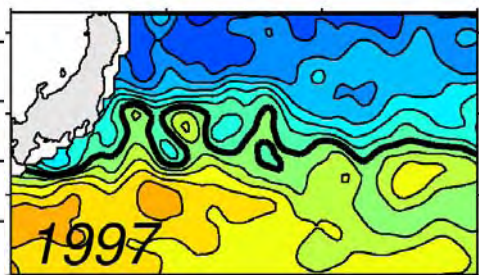
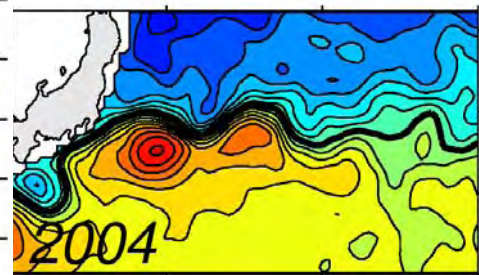
Summary

- Decadal variability dominates SSH, SST and other oceanic variables in the KE region. With the observed wind stress data, this variability can be predicted with a 3~4 yr lead.
- Ocean dynamics alone “reddens” the SST spectrum, but generates no decadal spectral peak as observed.
- Wintertime KE SST anomalies induce overlying-high and downstream-low pressure anomalies. This feedback favors a coupled mode with a ~10 yr timescale.
- Nonlinear eddy-mean flow interaction can increase the amplitude of this coupled mode by enhancing regional SST anomalies (via parameter a).
- While the variance explained by this coupled mode is small for atmosphere (~15%), it is the **driving force** for decadal changes in oceanic variables: KE's path, SST, eddy level, and RG intensity.

EKE level

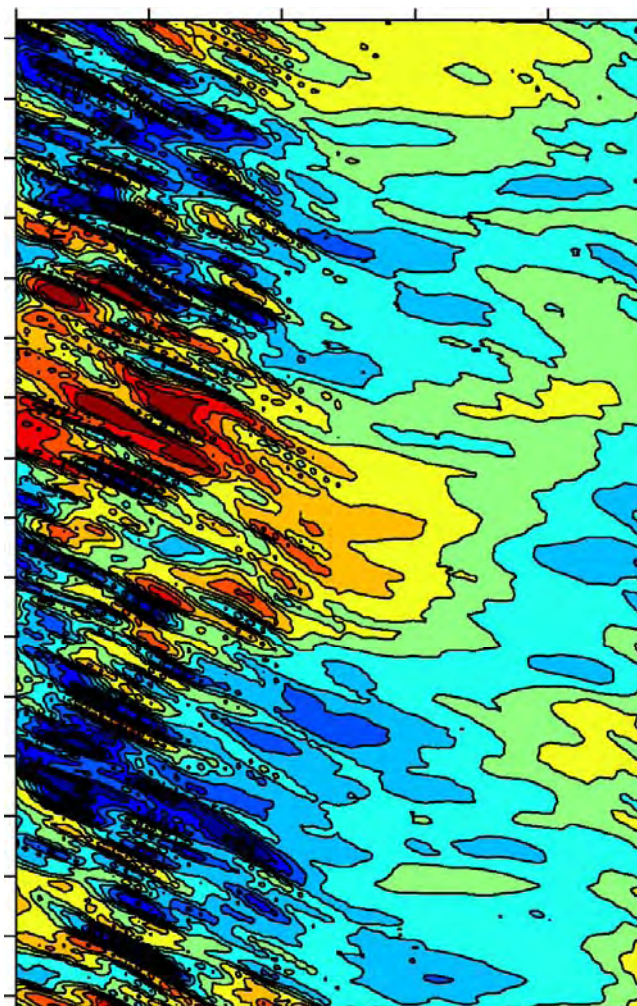


SSH field



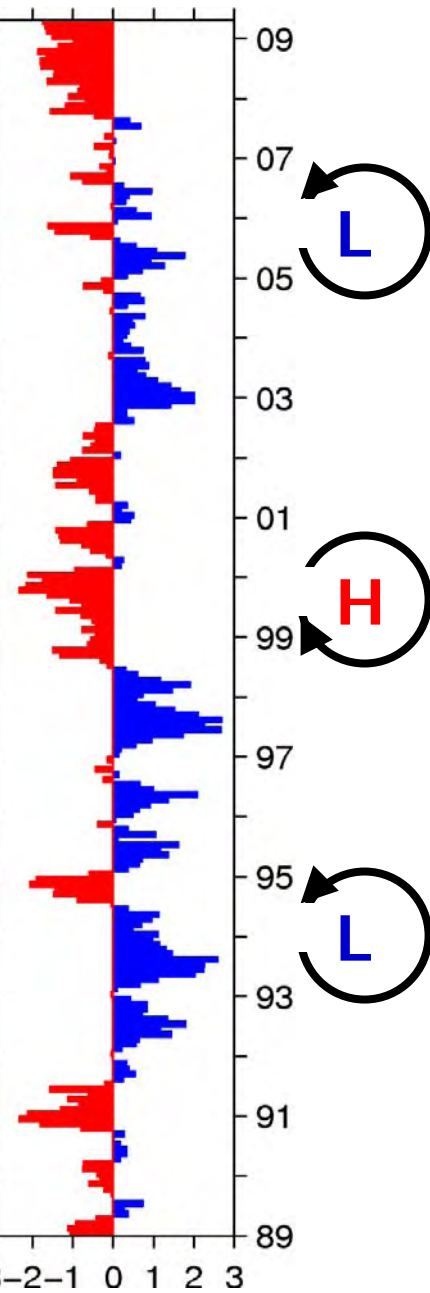
135E 145E 155E 165E

SSHA along 34°N

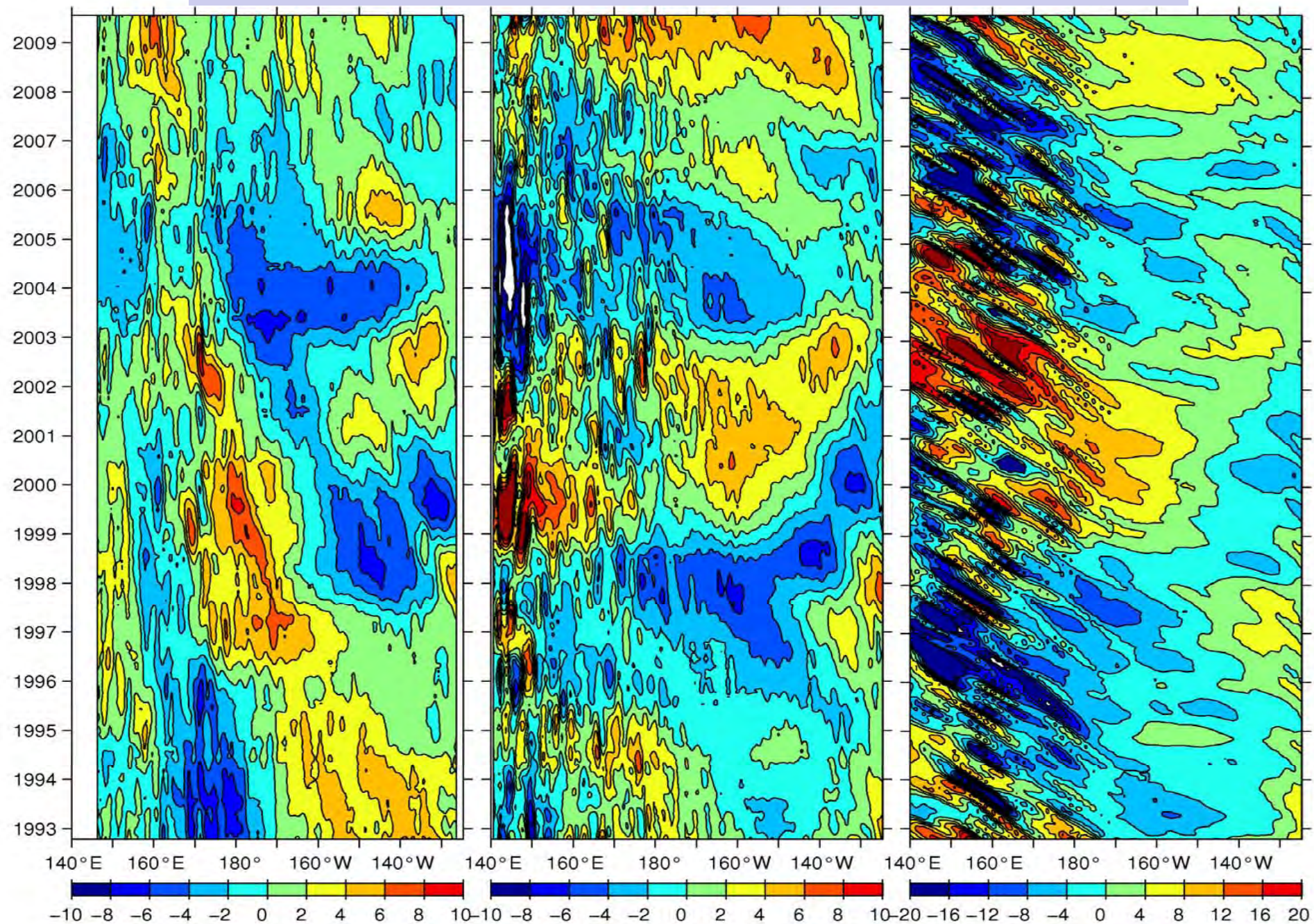


center of
PDO forcing

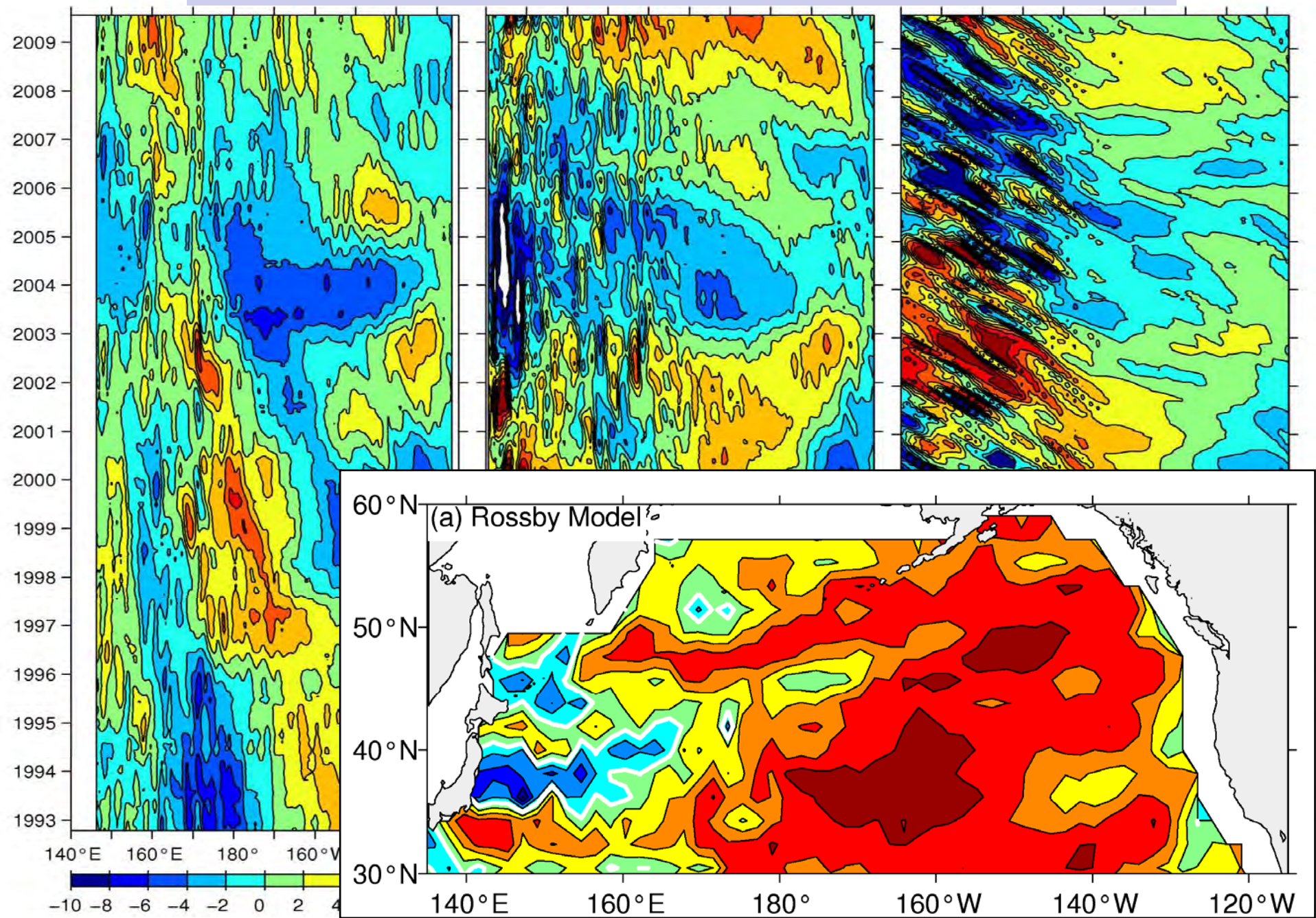
PDO index



Contrast 3 latitude bands: 45-50N, 37-42N, 32-34N

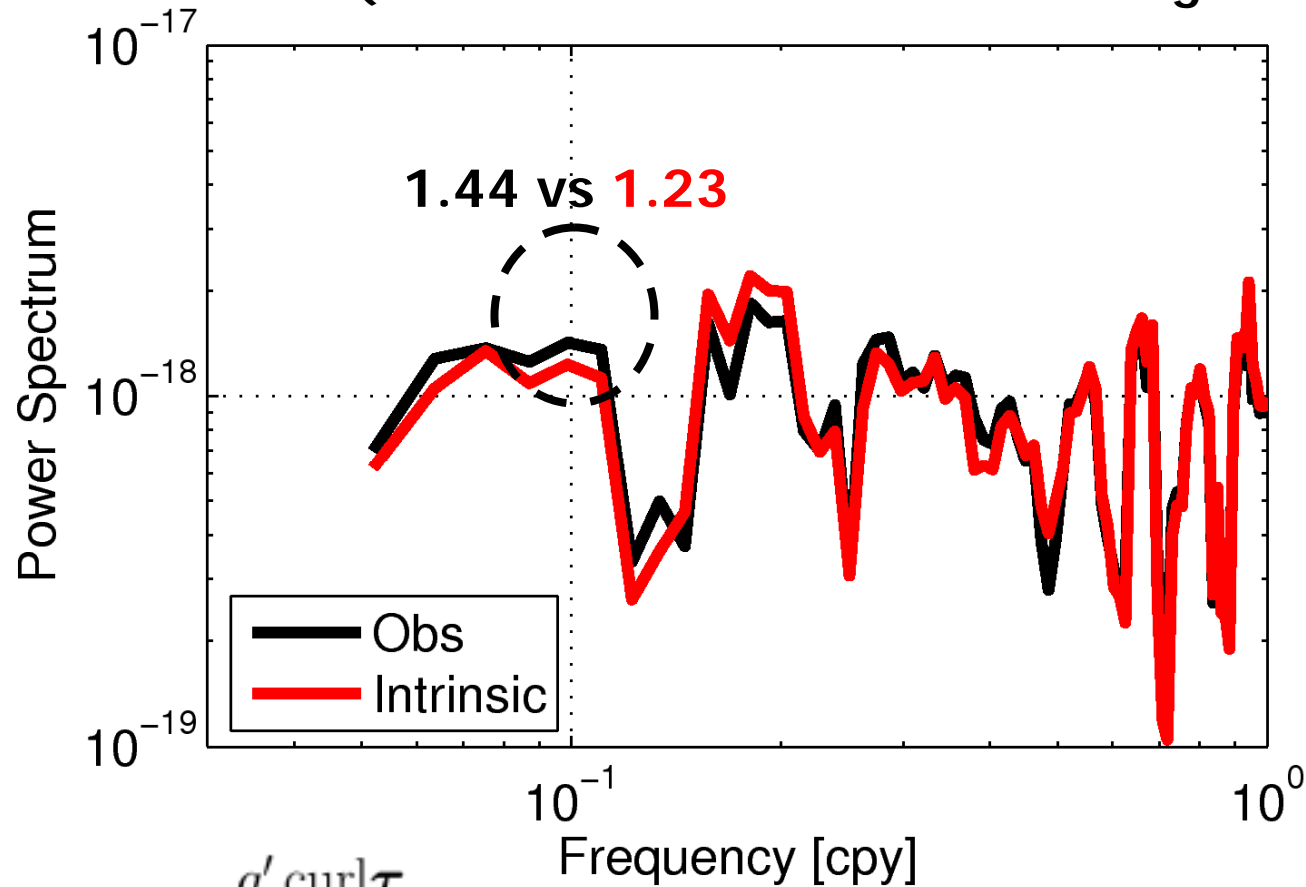


Contrast 3 latitude bands: 45-50N, 37-42N, 32-34N



How large is the SST-induced wind forcing?

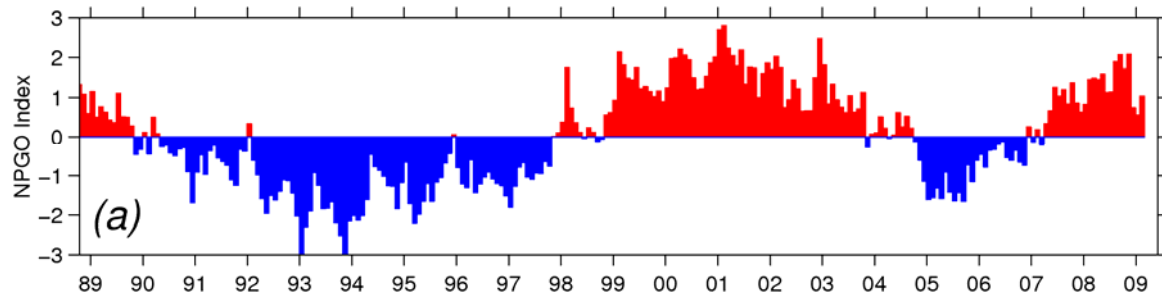
(in the eastern half of the NP along the KE band)



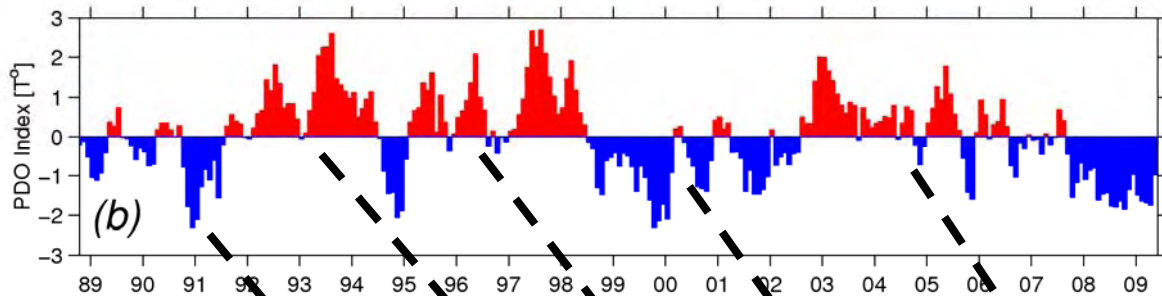
— $-\frac{g' \text{curl} \tau}{\rho_o g f}$

— $-\frac{g' \text{curl} \tau}{\rho_o g f} - b \sin \left(\frac{2\pi x}{W} \right) T(t)$

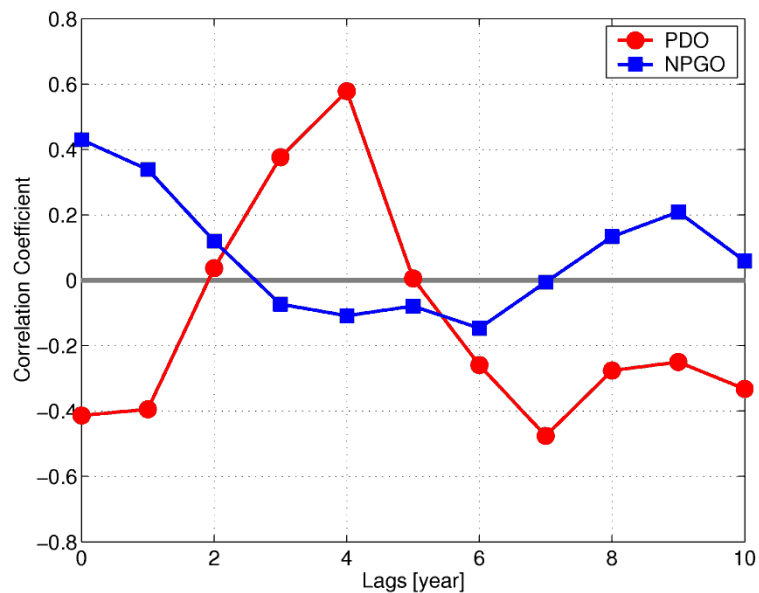
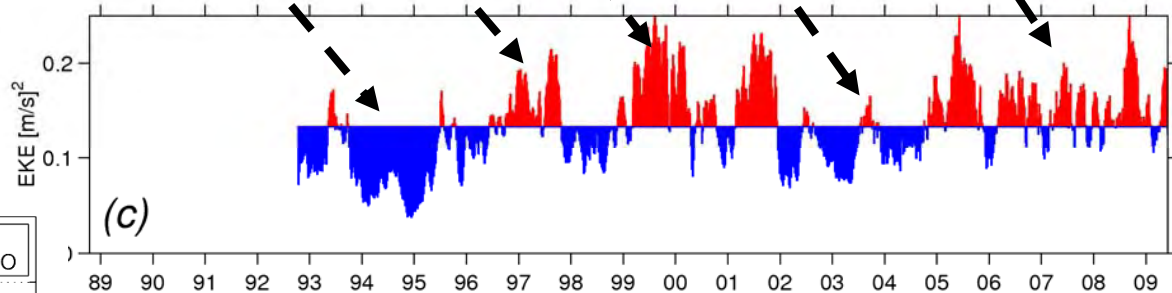
NPGO index



PDO index



EKE level



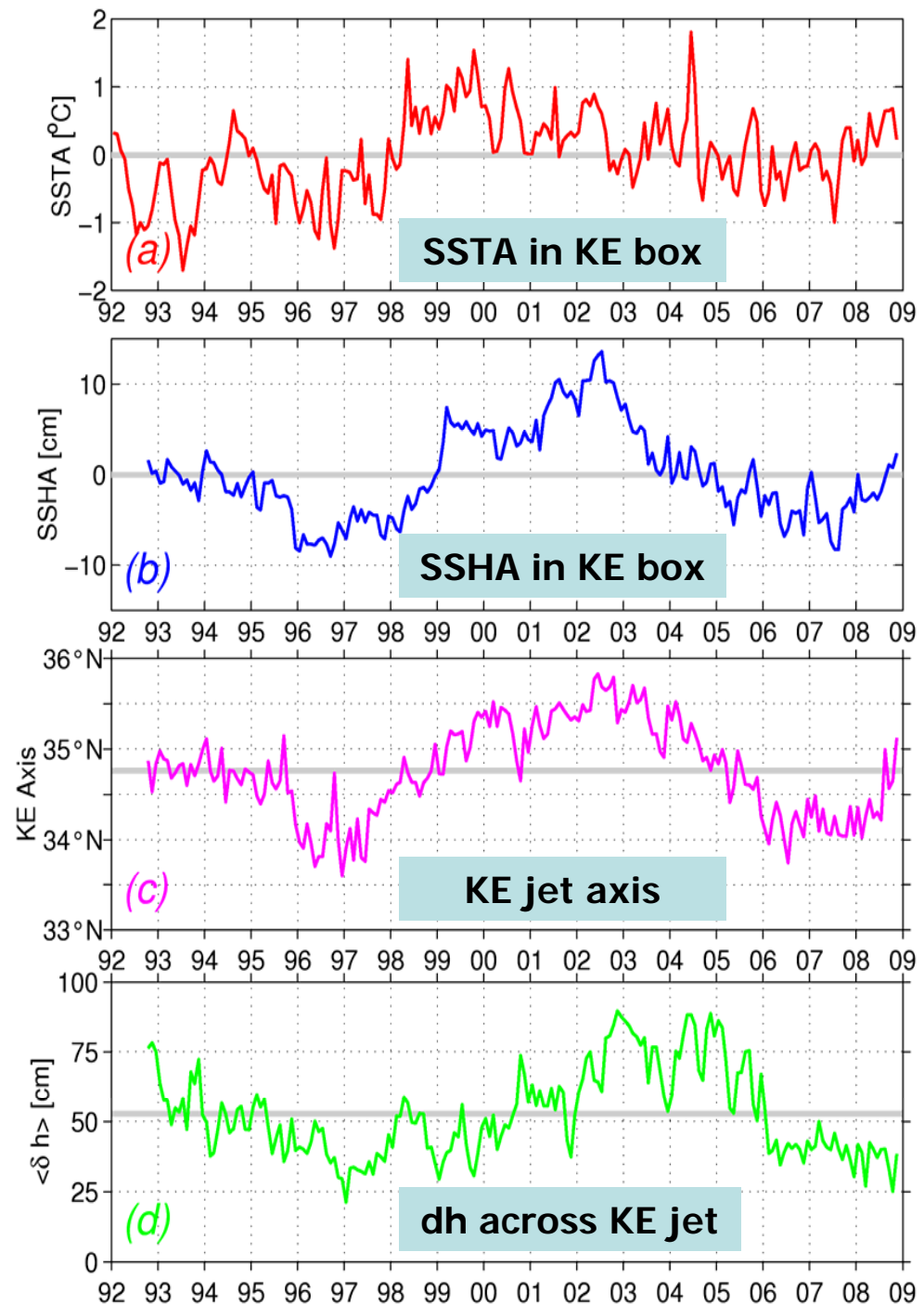
Extended Hasselmann model

$$\frac{\partial T(t)}{\partial t} = a \overline{h(t)} - \lambda T(t) + q(t)$$

where

$$\overline{h(t)} \equiv \frac{1}{L} \int_{-W}^{-W+L} h(x, t) dx$$

averaged SSHA in the KE box



An idealized air-sea coupled system:

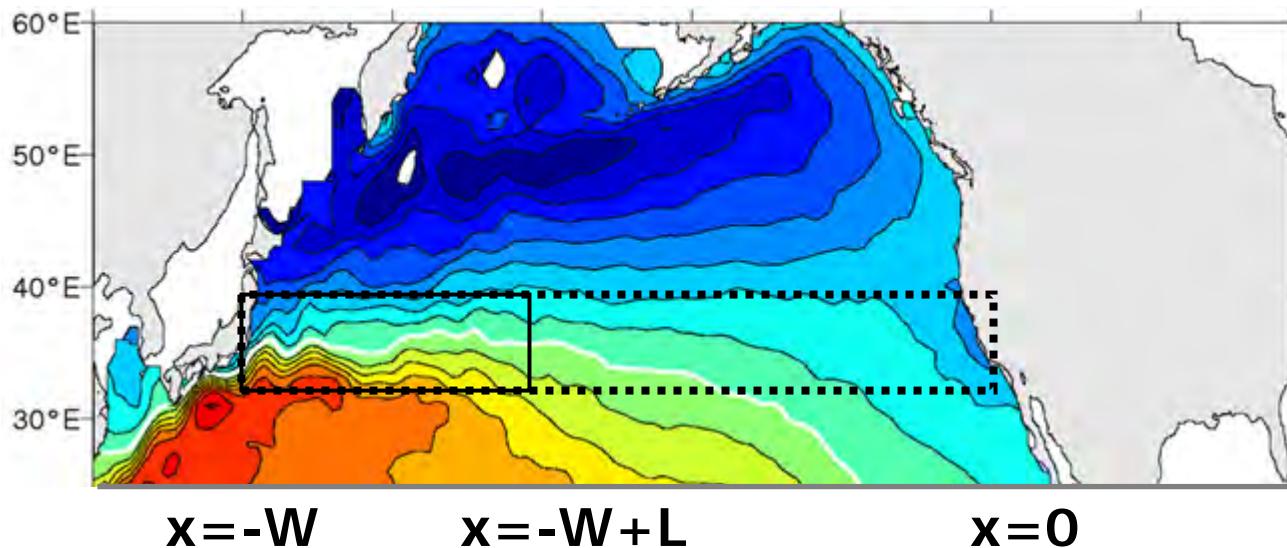
$$\frac{\partial h(x, t)}{\partial t} - c_R \frac{\partial h(x, t)}{\partial x} = -\frac{g' \text{curl} \boldsymbol{\tau}}{\rho_o g f} \quad (1)$$

$$\frac{\partial T(t)}{\partial t} = a \overline{h(t)} - \lambda T(t) + q(t) \quad (2)$$

$$-\frac{g' \text{curl} \boldsymbol{\tau}}{\rho_o g f} = \sum_{n=1}^2 \sin\left(\frac{n\pi x}{W}\right) w_n(t) + b \sin\left(\frac{2\pi x}{W}\right) T(t) \quad (3)$$

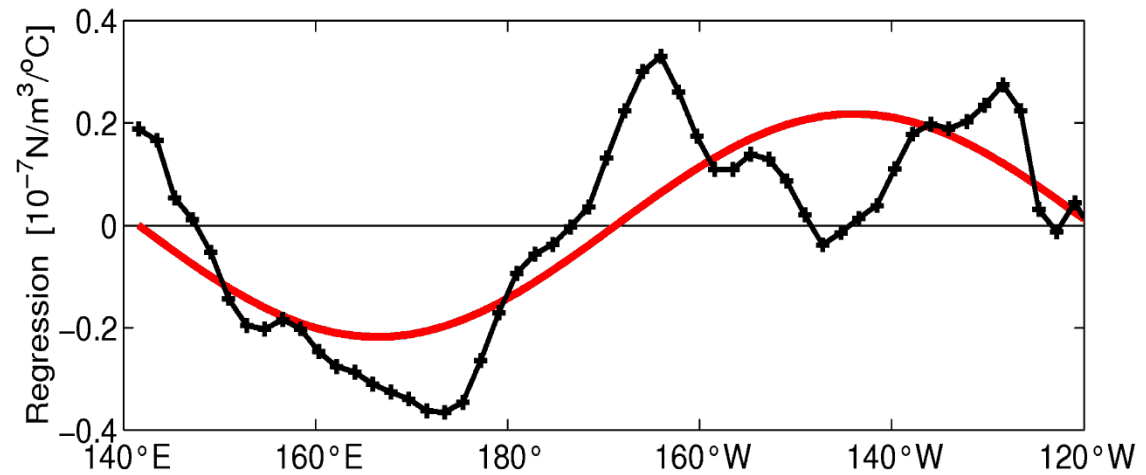
intrinsic

feedback





Lagged regression between KE SSTA and NP curl-tau field

- NCEP reanalysis data (1950-2008)
- ENSO signals (Nino 3.4) regressed out
- Different curl patterns with +/- lag



(b) $m=3$: SST(DJF) vs. curl (MAM)


 $p' > 0$; curl-tau < 0


 $p' < 0$; curl-tau > 0

