

Centre of Mathematics (CMAT), University of Minho

Spatio-temporal variability of the distribution and abundance of small pelagic fish off the Portuguese continental coast and relationship with environmental drivers

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with

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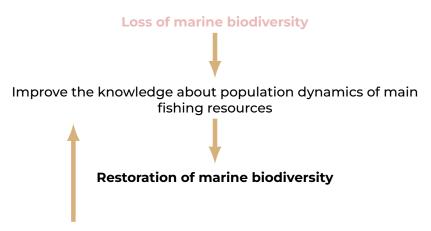
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November, 10



Spatio-temporal analysis of abundance indexes

Motivating data

PELAGO surveys

Estimate the abundance of sardine inhabiting the Portuguese shelf.

Database

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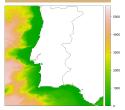
Environmental data

Chlorophyll

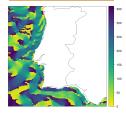


Temperature

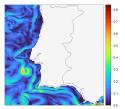
Bathymetry



Direction of ocean currents



Intensity of ocean currents

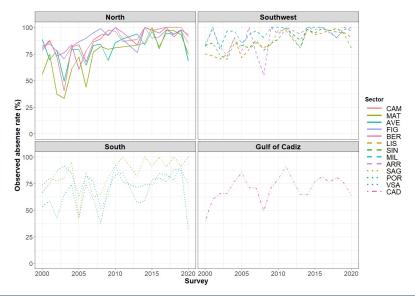


Species Distribution Data often implies residual spatial autocorrelation

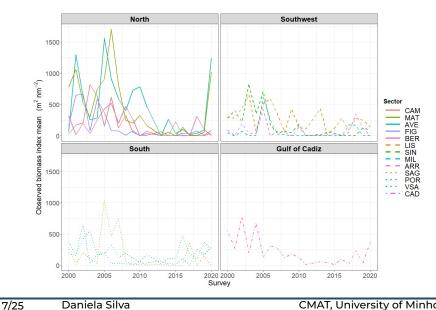
- **Non-consideration** of important environmental conditions.
- Intrinsic factors: competition, dispersal, aggregation, etc.



Problem and Objective



Problem and Objective



Problem and Objective

Main aims

- Estimate the **spatio-temporal distribution** of sardine in western and southern Iberian waters.
- Understand sardine dynamics over time and space.
- Identify the main drivers of sardine spatial dynamics.

To consider:

- Complex spatio-temporal dynamics.
- Excess of zeros.
- Difference between occurrence process and biomass process under occurrence.
- Relationship between response and **environmental** conditions with a time lag.

Hierarchical model

Series of levels linked by probability functions.

 Y_{st} - **Biomass process** at location s and time t Z_{st} - **Occurrence sub-process**

Distribution of biomass index

$$\begin{split} Y_{\text{s}t}] &= [Z_{\text{s}t}] \left[Y_{\text{s}t} | (Z_{\text{s}t} = 1) \right] \\ &= \begin{cases} 1 - \pi_{\text{s}t}, & y_{\text{s}t} = 0 \\ \pi_{\text{s}t} \left[Y_{\text{s}t} | (Z_{\text{s}t} = 1) \right], & y_{\text{s}t} > 0 \end{cases} \end{split}$$

such that:

$$\begin{aligned} & Z_{\text{st}} \sim Bernoulli(\pi_{\text{st}}) \\ & Y_{\text{st}} | (Z_{\text{st}} = 1) \sim Gamma(a_{\text{st}}, b_{\text{st}}) \end{aligned}$$

Two-part model can be defined by:

$$log(\mu_{sti}) = \alpha + \sum_{j=1}^{p} \mathbf{f}(K(X_{jsti}, c, l)) + \gamma_t + W_{st}$$
$$ogit(\pi_{sti}) = \alpha' + \sum_{j=1}^{p'} \mathbf{f}'(K(X'_{jsti}, c, l)) + \gamma'_t + kW_s$$

time lag c + l in days from i^{th} day of the survey in year t, smoother function f of the j^{th} covariate X_{jsti} , spatio-temporal structure W_{st} , unstructured temporal effects γ_t and γ'_t .

$$W_{\mathrm{s}t} = \delta W_{\mathrm{s}(t-1)} + \xi_{\mathrm{s}t}$$

|δ| < 1 ξ_{st} is is a zero-mean GF with spatio-temporal covariance:

$$Cov(\xi_{st},\xi_{uj}) = \begin{cases} 0 & if \quad t \neq j \\ Cov(\xi_{s},\xi_{u}) & if \quad t = j \end{cases}$$

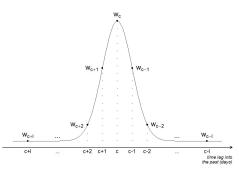
such that $Cov(\xi_s, \xi_u)$ is given by Matérn spatial covariance with partial variance σ^2 and range ϕ .

Kernel application K(.,.,.)

$$K(X_{jsti}, c, l) = \sum_{q=-l}^{l} w_{c-q} X_{jst(i-(c-q))}$$

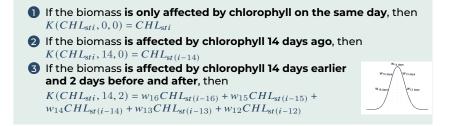
•
$$w_{c-q} = \frac{1}{\sqrt{2\pi}} exp\left\{-\frac{q^2}{2h^2}\right\}$$

- X_{jst(i-(c-q))} jth covariate observed in day i - (c - q) of year t
- On the *i*th day, the maximum effect of *X_j* occurs for lag *c*



Presence/absence modelling:

$$logit(\pi_{sti}) = \alpha_1 + \sum_{j=1}^{p'} \mathbf{f}(K(X'_{jsti}, c, l)) + \gamma'_t + kW_{st}$$



Advantages

- It allows to incorporate prior information.
- Information and uncertainty about all the unknown can be better (and easily) expressed in terms of probability distributions.
- It might more **easily handle with inference and prediction** (Banerjee, Carlin, and Gelfand 2004).

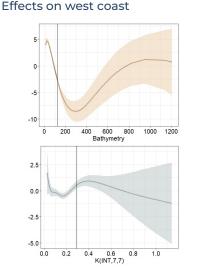
Inference method

INLA approach was used to approximating the posterior marginals of the latent GF (Rue, Martino, and Chopin 2009).

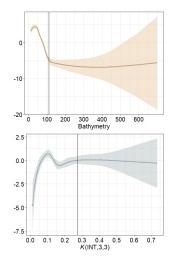
https://www.r-inla.org/

- Various combinations of *c* and *l* were tested.
- Data from the west and south Iberian coasts are **studied separately**.
- Spatial predictions over the entire study region were obtained **for a "representative day"** of each survey for the total 21 years.

Results: Environmental effects for the presence



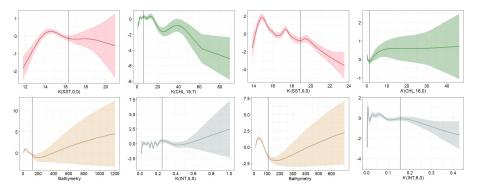
Effects on south coast



*vertical line - quantile 80%

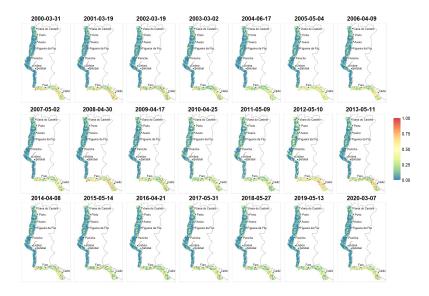
Effects on west coast

Effects on south coast

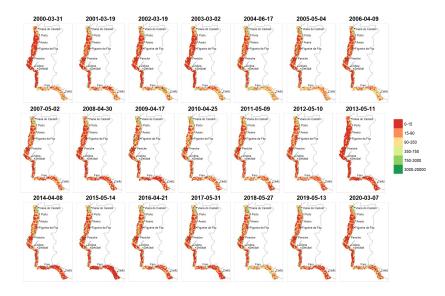


*vertical line - quantile 80%

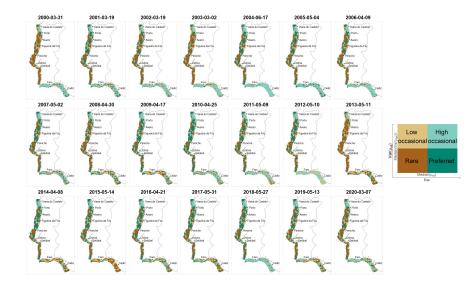
Results: Predicted occurrence



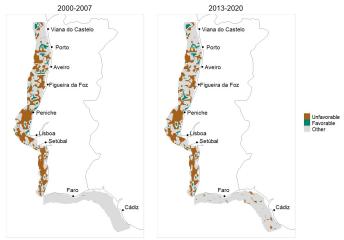
Results: Predicted biomass



Results: Occupancy areas



Persistent rare (unfavourable) and preferred (favourable) zones



On going work

• Apply this methodology to the anchovy data.

Future work

- Model the spatio-temporal distribution of sardine from data obtained from commercial fisheries, taking into account preferential sampling.
- Joint modelling fishery-dependent and fishery-independent data.

Thank you for your attention!

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